



*Easy set-up. Expert results.*

MODELING COUPLED HEAT  
TRANSFER AND HEAT  
GENERATION: LESSONS FOR  
MEASURING NSZD RATES  
USING THERMAL GRADIENT  
METHODS

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WALTON, JENNA DIMARZIO

# Outline

NSZD Intro

Methods

The Model: Assembling a (simplified) VCS (Virtual Contaminated Site)

Kinetics

Mass Balances

Heat Balances

The Thermal Gradient Method

Modeling Coupled Heat Transfer and Generation

Another model:

“The Single Stick” Method

Results

Conclusions

# Motivation

- Need to reconcile lab and field data
  - Petroleum biodegradability
  - Biodegradation temperature dependence
- A decision-support tool for contaminated sites
- Specifically: validation of thermal gradient method

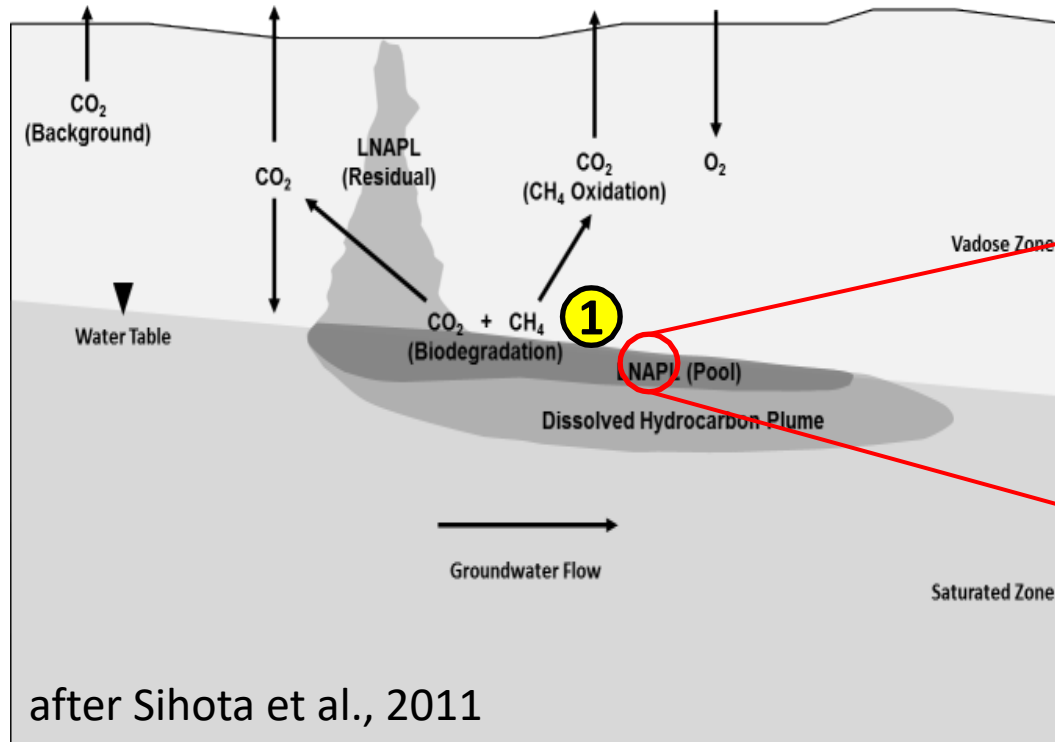


<http://avecom.be/product/microcosm-tests>

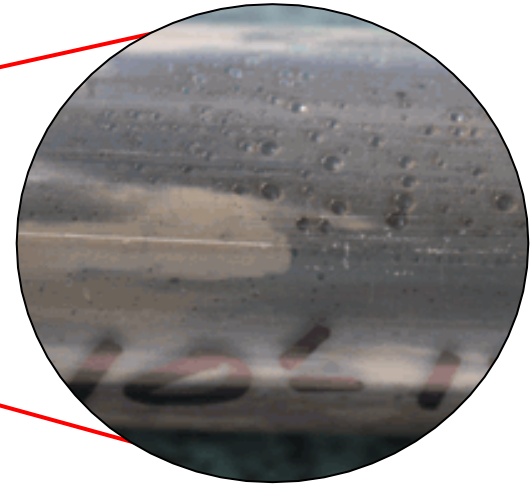


<http://www.mprnews.org/story/2014/06/03/bemidji-oil-spill-site-research>

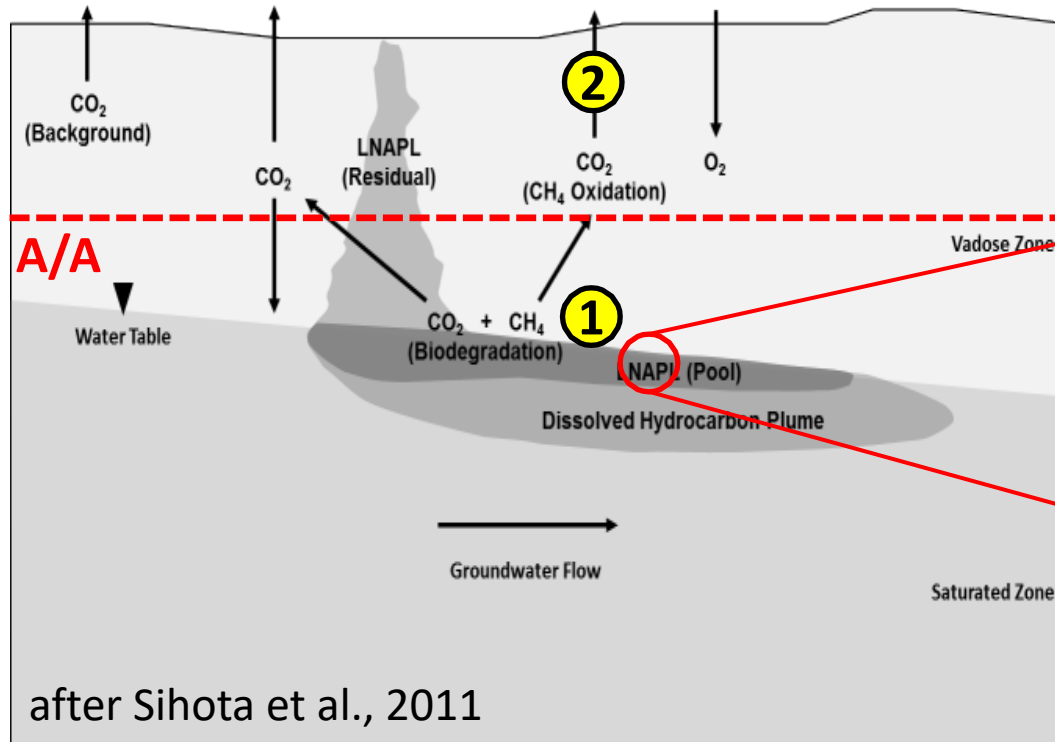
# NSZD Conceptual Model



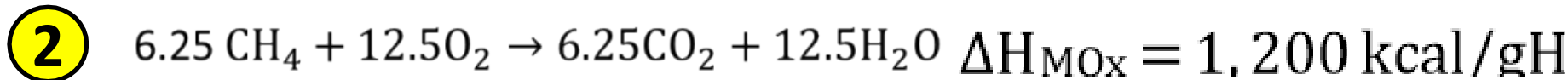
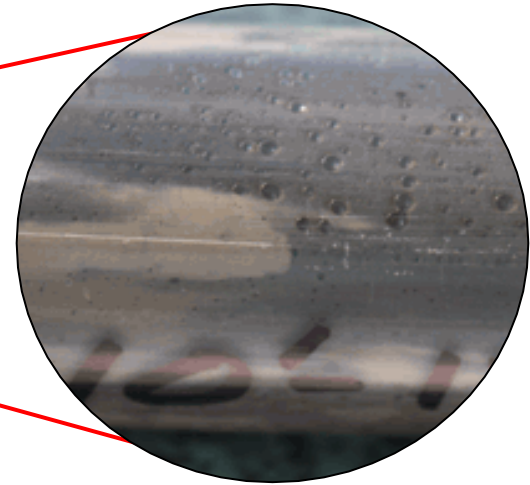
Microbial processes produce stoichiometric amounts of energy



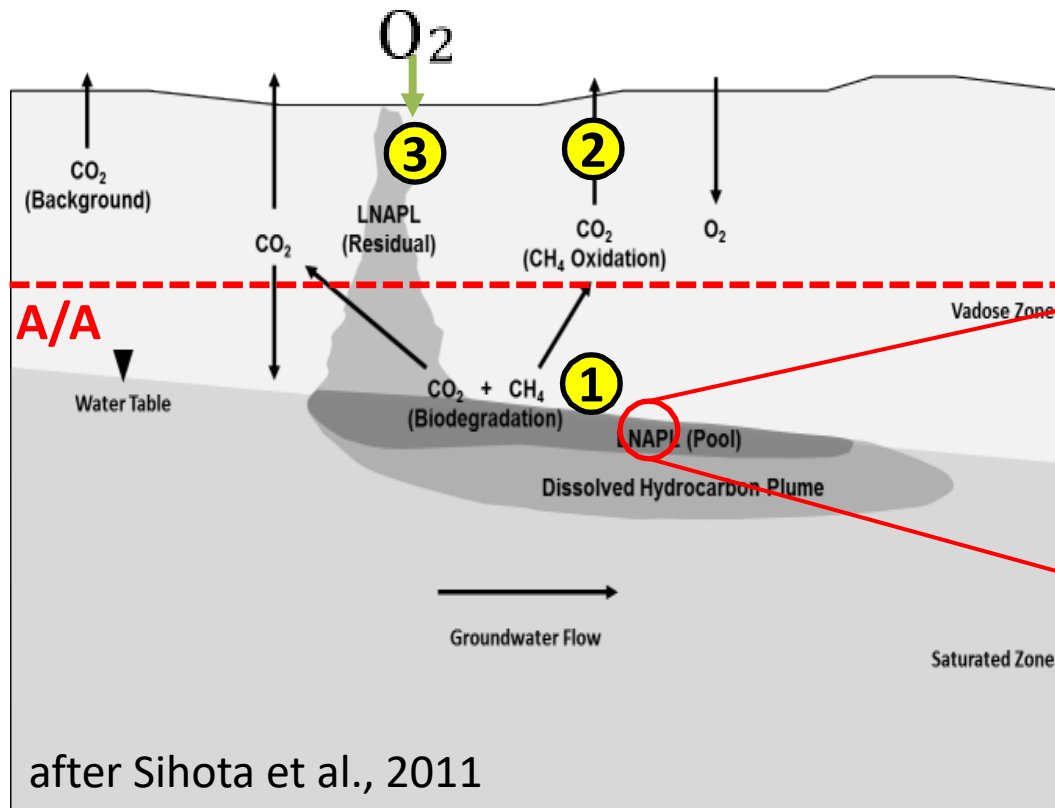
# NSZD Conceptual Model



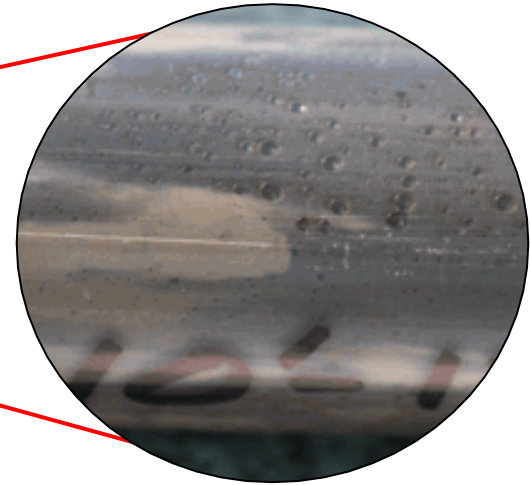
Microbial processes produce stoichiometric amounts of energy



# NSZD Conceptual Model



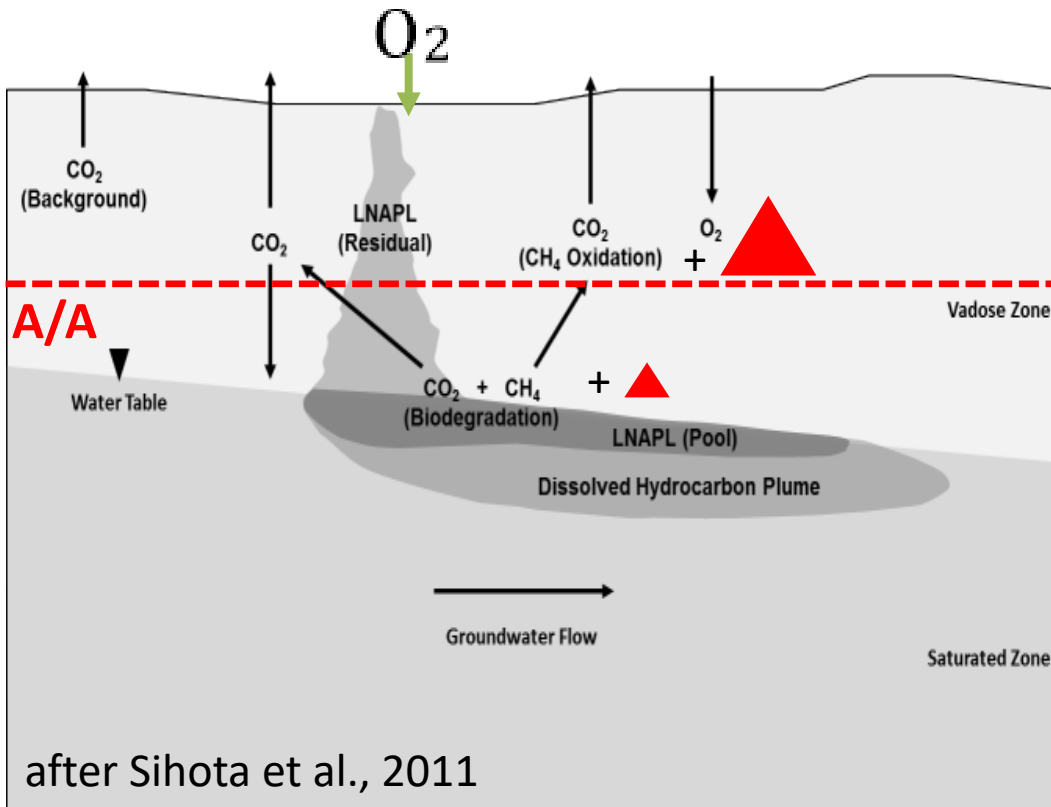
Microbial processes produce stoichiometric amounts of energy



- ①  $C_8H_{18} + 3.5O_2 \rightarrow 6.25CH_4 + 1.75H_2O$   $\Delta H_{MOx} = 24 \text{ kcal/gHC}$
- ②  $6.25 CH_4 + 12.5O_2 \rightarrow 6.25CO_2 + 12.5H_2O$   $\Delta H_{MOx} = 1,200 \text{ kcal/gHC}$
- ③  $C_8H_{18} + 12.5O_2 \rightarrow 8CO_2 + 9H_2O$   $\Delta H_{aerobic} = 1,224 \text{ kcal/gHC}$



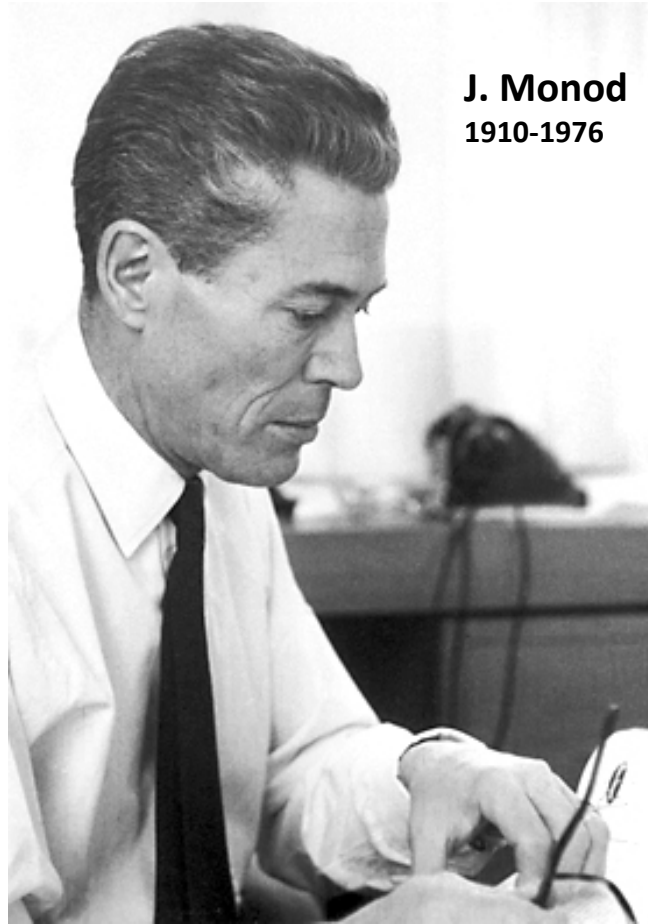
# NSZD methods



Reaction By-Product	Basis	Implementation
Chemical products	Mass balance	CO <sub>2</sub> flux measurements
Heat	Heat balance	Heat flux measurements



# Modeling Biodegradation Kinetics



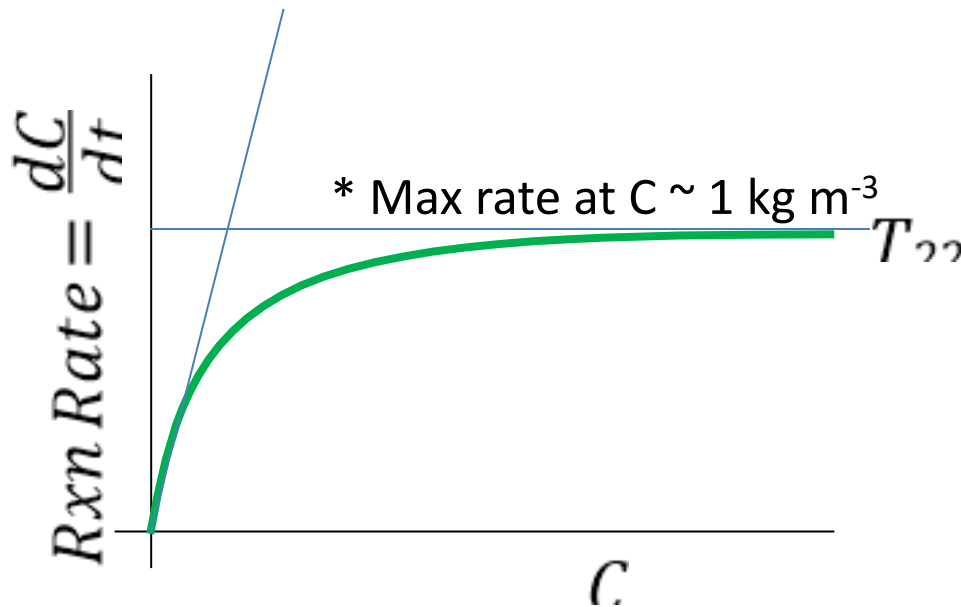
**J. Monod**  
1910-1976

*Image from Wikipedia*

# Reaction Rates (Lab)

**Monod Kinetics:** Reaction rates depend on **Contaminant Concentration**

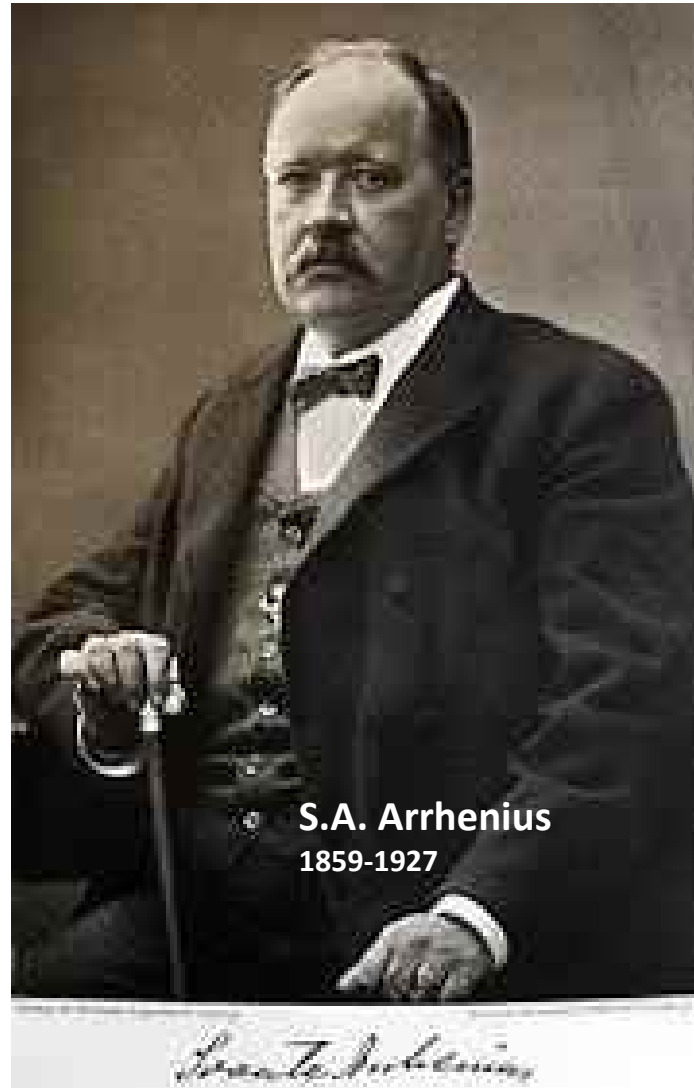
$$-\frac{dC}{dt} = \frac{k_{max}C}{C + C_m}$$



- ①  $C_8H_{18} \rightarrow CH_4$ 
  - Siddique et al. (2008)
  - $k_{max} = 1.54\ kg\ m^{-3}\ yr^{-1}$
  - $C_m = 0.47\ kg\ m^{-3}$
- ②  $CH_4 \rightarrow CO_2$ 
  - Fast reaction (Davis, 2009)
- ③  $C_8H_{18} \rightarrow CO_2$ 
  - Aerobic rates higher than anaerobic
  - (Molins et al., 2010)

\* Compare  $1\ kg/m^3 = 1\ g/L$  to  
 $S_r = 0.1$  (smallest value from Mercer and Cohen, 1990)  
->  $\sim 40\ g/L$  so most sites with NAPL likely operate at Max rate (0 order)

# Modeling (Temperature-Dependent) Biodegradation Kinetics

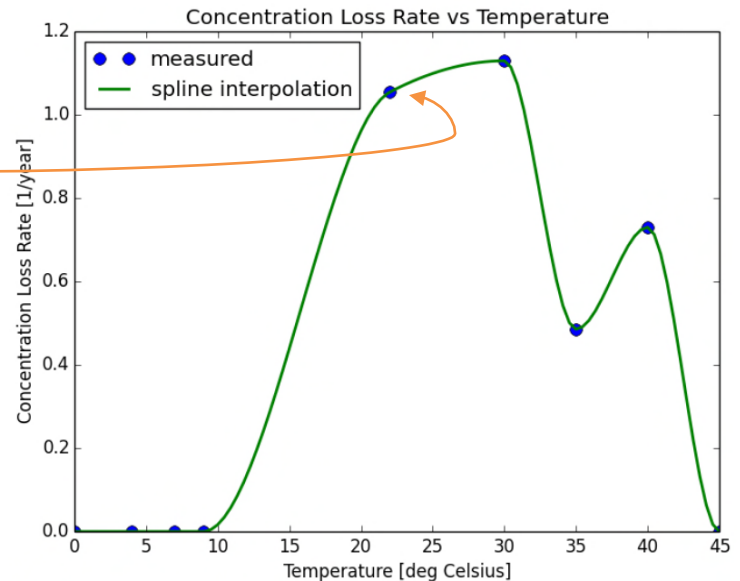
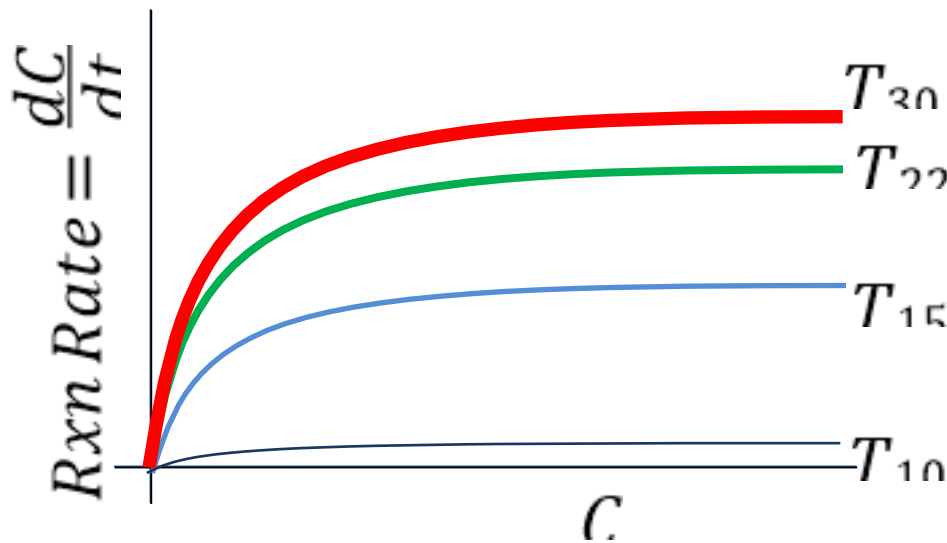


*Image from Wikipedia*

# Reaction Rates (Lab)

Reaction rates depend on **Temperature** (Arrhenius equation)

$$k = A e^{\frac{-E_A}{RT}}$$

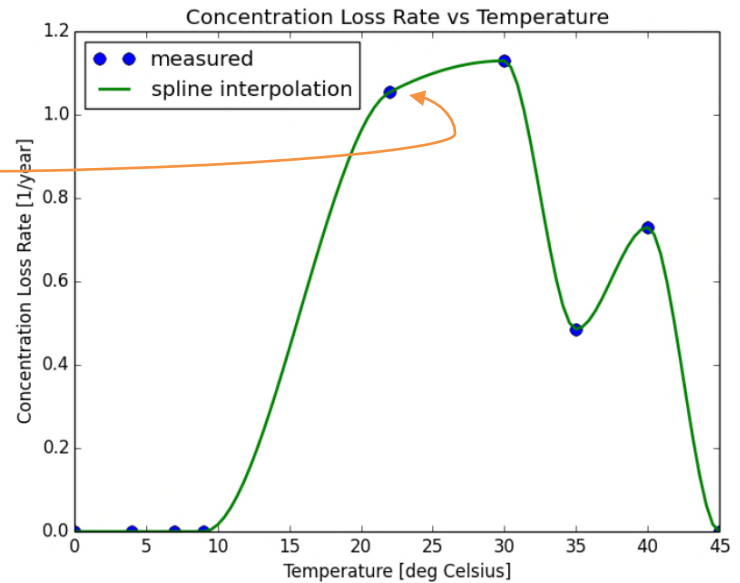
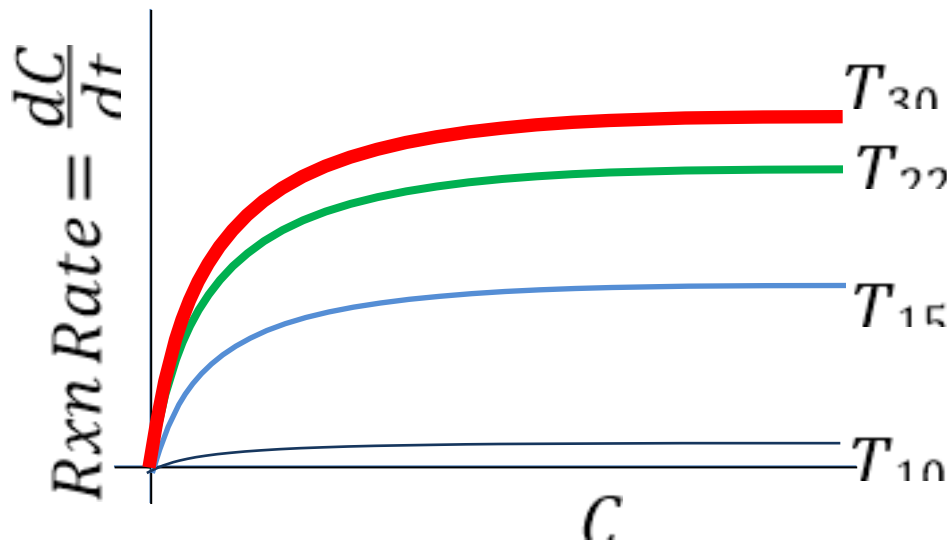


Data from  
Zeman, N. et al, 2014

# Reaction Rates (Lab)

Reaction rates depend on **Temperature** (Arrhenius equation)

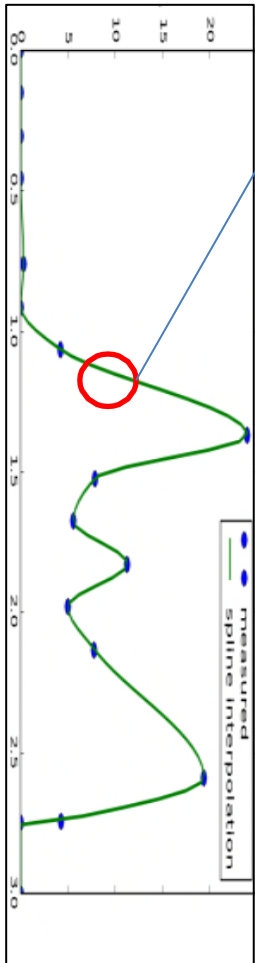
$$k = A e^{\frac{-E_A}{RT}}$$



# Model Approach

## Inputs

## Approach



...



- At each elevation account for
- Local LNAPL concentration
  - Correct for local temperature
  - Estimate “local biodegradation rate”
  - Cumulative biodegradation rate results in a bulk methane oxidation rate at A/A interface

# Last Piece: Modeling Heat Transfer in Soils



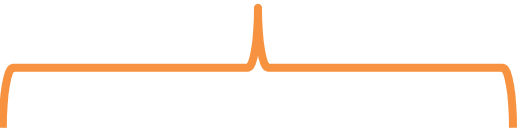
J. Fourier  
1768-1830

# Heat Equation with Heat Generation

To solve, need

- Soil properties (density, heat capacity and heat transmissivity)
- Boundary conditions (i.e., ambient and groundwater temperature)

Heat equation


$$+ qi \times \frac{1}{\rho C_p}$$



+ heat generation

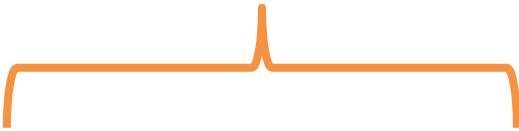


# Heat Equation with Heat Generation

To solve, need

- Soil properties (density, heat capacity and heat transmissivity)
- Boundary conditions (i.e., ambient and groundwater temperature)

Heat equation


$$+ q_i \times \frac{1}{\rho C_p}$$



+ heat generation

$q_i$  : *heat generation rate*

- ①  $C_8H_{18} \rightarrow CH_4$
- ②  $CH_4 \rightarrow CO_2$
- ③  $C_8H_{18} \rightarrow CO_2$

*Heat generation rate stoichiometric to the reaction rate*

# Modeling Heat Transfer in Soils

## Field Data



## Laws of Nature



A simple, yet realistic geometry

Model  
(Heat Equation)

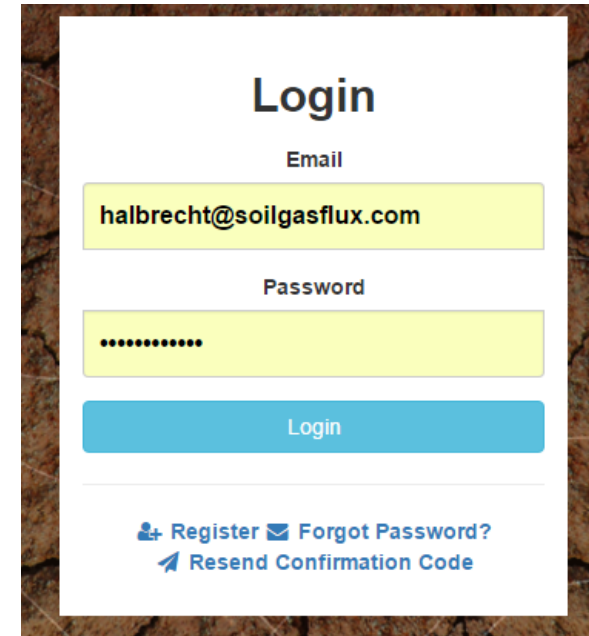
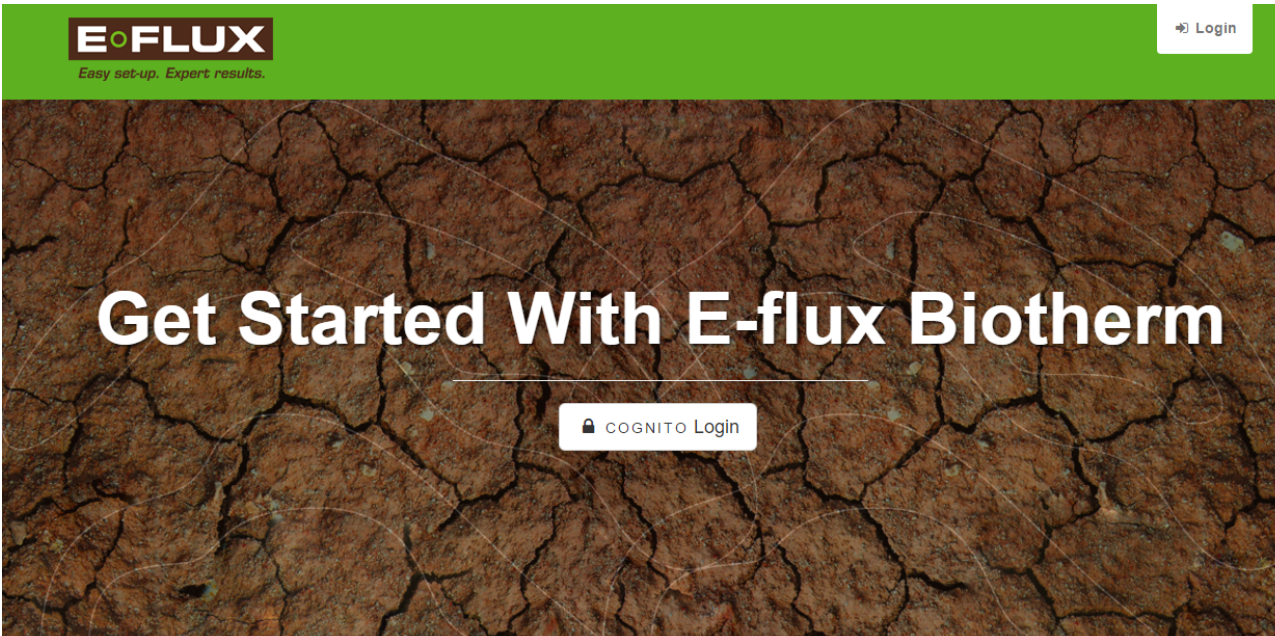


## Outputs:

$$T_1(t, z)$$
$$C_1(t, z)$$
$$NSZD \text{ rate} = \sum_z \frac{\Delta C}{\Delta t}$$

Formerly available at:  
[www.BiogenicHeat.com](http://www.BiogenicHeat.com)

# Web Based Model, Open to Anyone



To log in, input the info printed at the top of the page

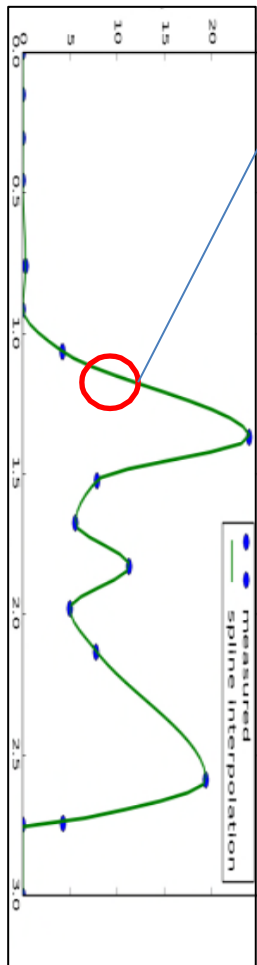
Logging In:

[www.soilgasflux.com](http://www.soilgasflux.com)

[www.BiogenicHeat.com](http://www.BiogenicHeat.com)

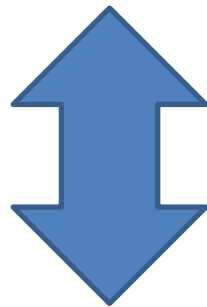
# Model Approach

## Inputs

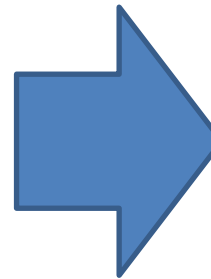


## Approach

- At each elevation account for
- Local LNAPL concentration
  - Correct for local temperature
  - Estimate “local biodegradation rate”
  - Cumulative biodegradation rate results in a bulk methane oxidation rate at A/A interface



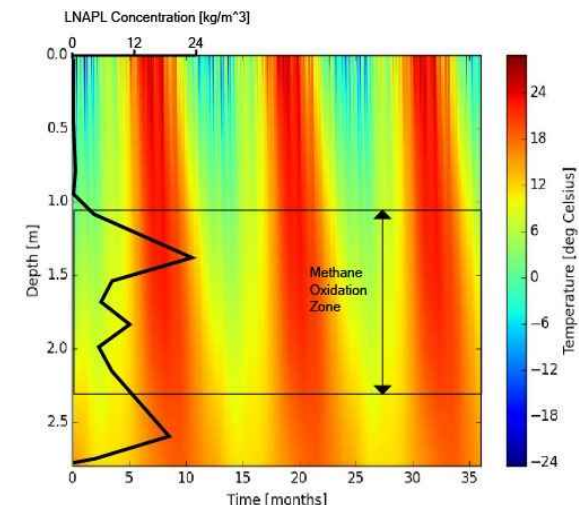
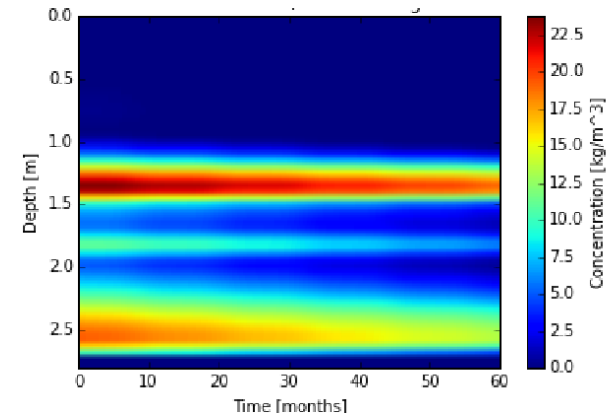
Solve  
coupled



Local temperatures determined by

- Boundary conditions
- Heat produced by reactions
- Soil heat transfer

## Outputs

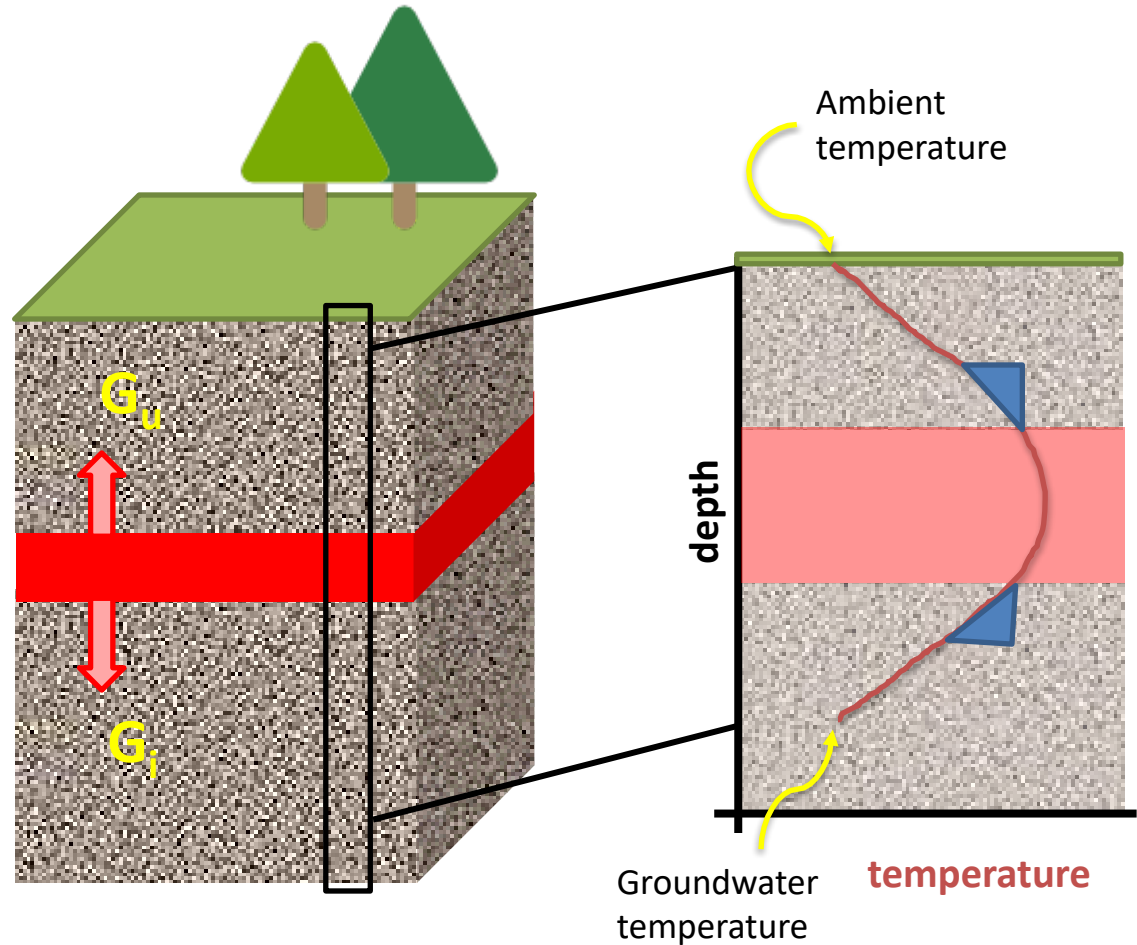


# Estimating LNAPL Loss from Heat Balance

Using thermal gradients

$$G = G_u + G_i$$

$$R_{NSZD} = \frac{G_{NSZD}}{\Delta H_{NSZD}}$$

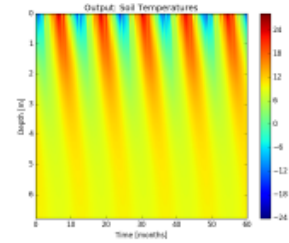
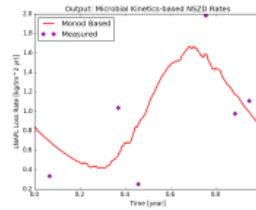
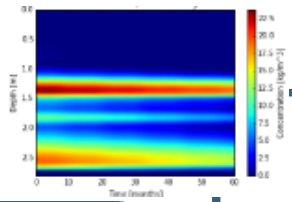


# Model Motivation

- How NSZD rates vary seasonally?
- How much supplementary heat need to increase NSZD rates (thermally enhanced NSZD)
- Can NSZD rates from the mass balance (i.e., Monod) with those from thermal gradients be reconciled?
  - Background correction
  - Temporal effects (noise)

# Two Methods for Estimating LNAPL Loss

## Using Mass Balance



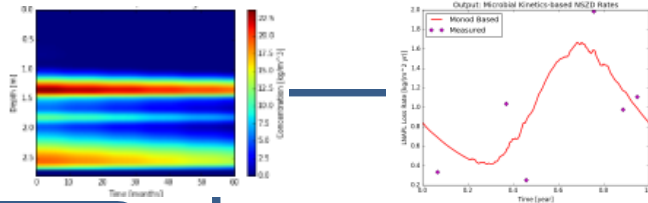
Inputs  
(Loc. 1)

Model  
(Heat  
equation)

$$T_1(t, z)$$
$$C_1(t, z)$$
$$NSZD_{Monod} = \sum_z \frac{\Delta C}{\Delta t}$$

# Two Methods for Estimating LNAPL Loss

## Using Mass Balance

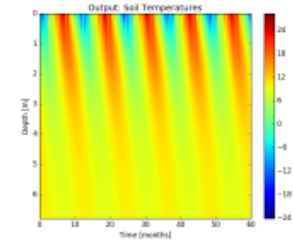


Inputs  
(Loc. 1)

Model  
(Heat  
equation)

$$T_1(t, z)$$
$$C_1(t, z)$$
$$NSZD_{Monod} = \sum_z \frac{\Delta C}{\Delta t}$$

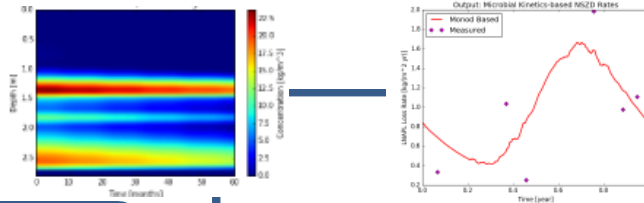
## Using Thermal Gradients





# Two Methods for Estimating LNAPL Loss

## 1. Using Mass Balance

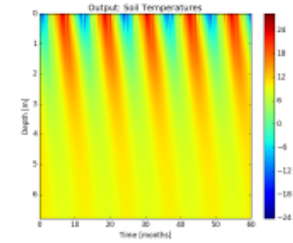


Inputs  
(Loc. 1)

Model  
(Heat  
equation)

$$T_1(t, z)$$
$$C_1(t, z)$$
$$NSZD_{Monod} = \sum_z \frac{\Delta C}{\Delta t}$$

## 2. Using Thermal Gradients

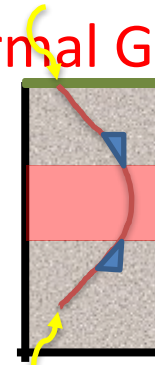


Thermal  
Gradients

$$\frac{dT}{dz}$$

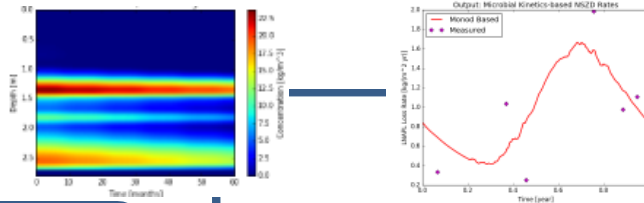
Thermal  
Gradient-based  
NSZD rate

$$R_{TG,loc} = \sum_z \frac{\Delta C}{\Delta t}$$



# Two Methods for Estimating LNAPL Loss

## 1. Using Mass Balance



Inputs  
(Loc. 1)

Model  
(Heat  
equation)

$$T_1(t, z)$$

$$C_1(t, z)$$

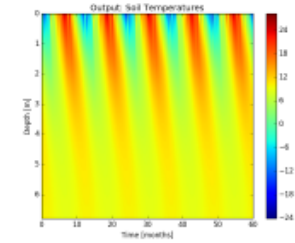
$$NSZD_{Monod} = \sum_z \frac{\Delta C}{\Delta t}$$

Inputs  
(Loc. 2)

Model  
(Heat  
equation)

Outputs:  
 $T_2(t, z)$

## 2. Using Thermal Gradients

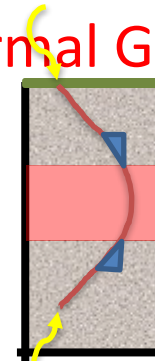


Thermal  
Gradients

$$\frac{dT}{dz}$$

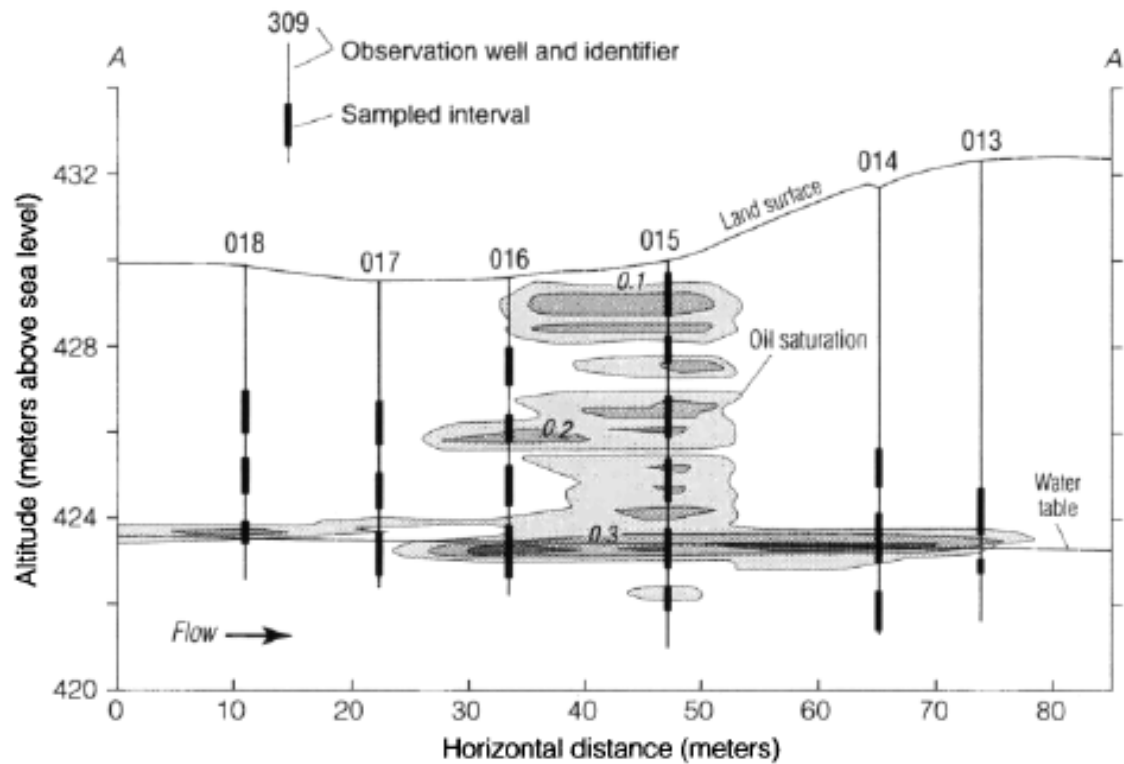
Thermal  
Gradient-based  
NSZD rate

$$R_{TG,loc} = \sum_z \frac{\Delta C}{\Delta t}$$

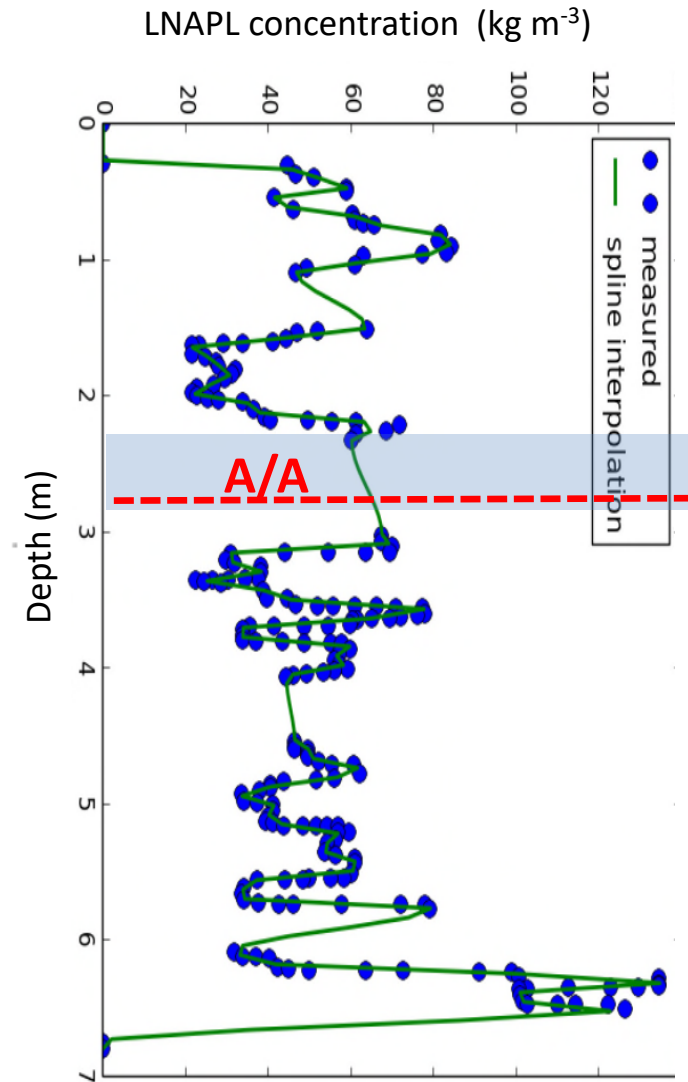


# Case 1: Bemidji

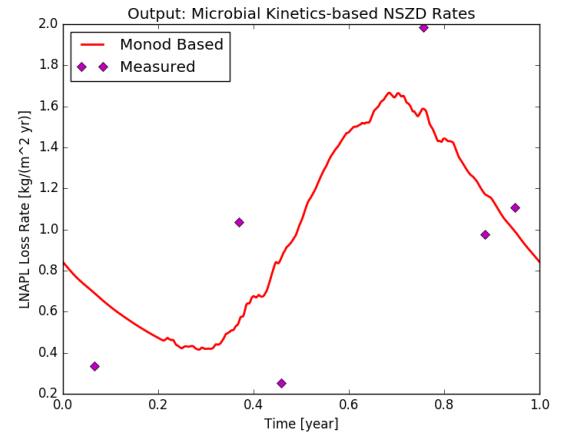
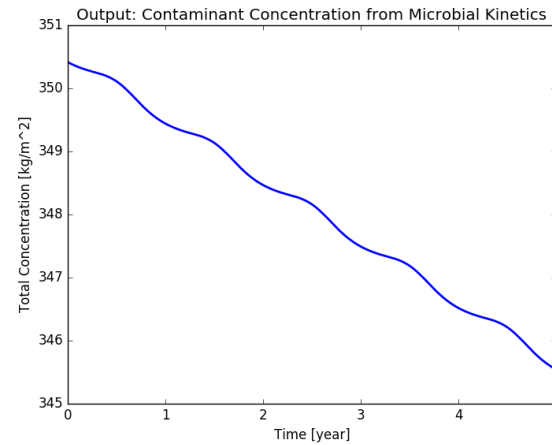
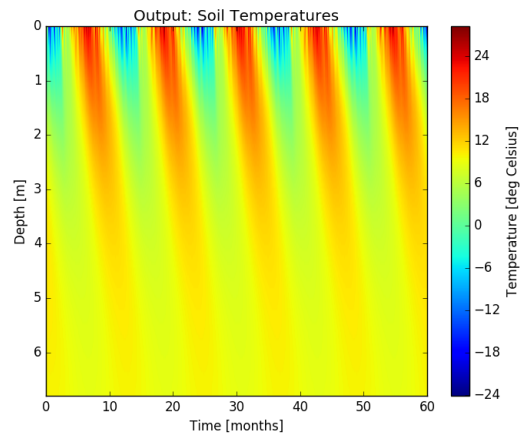
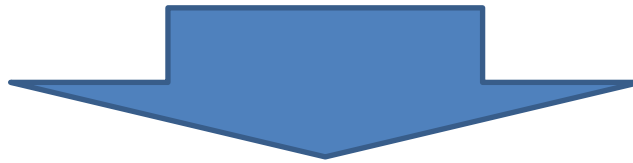
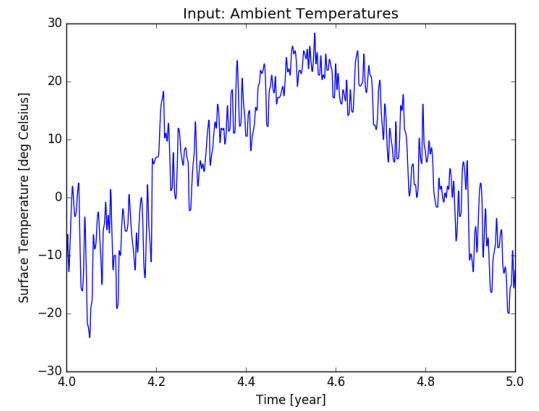
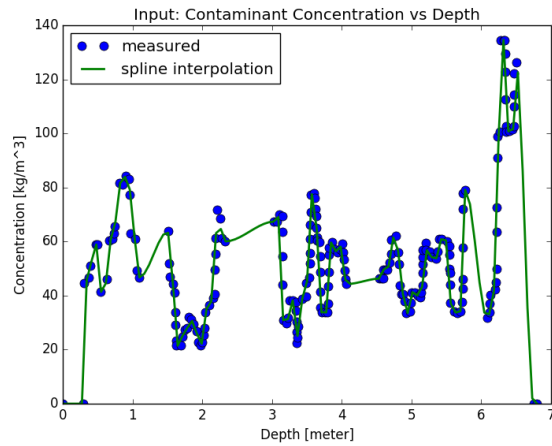
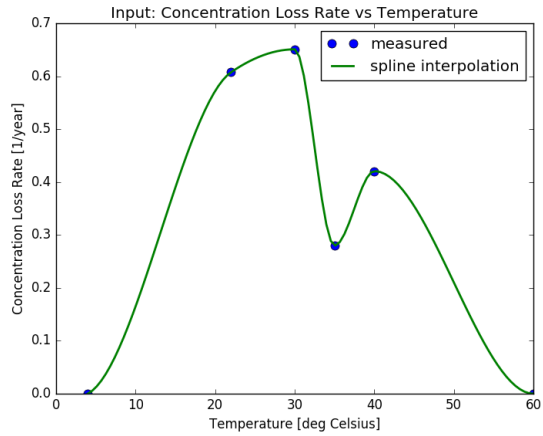
- Crude oil spill site
- Depth to Groundwater: 7 m
- Average Groundwater Temperature: 9 °C



(Dillard et al., 1997)



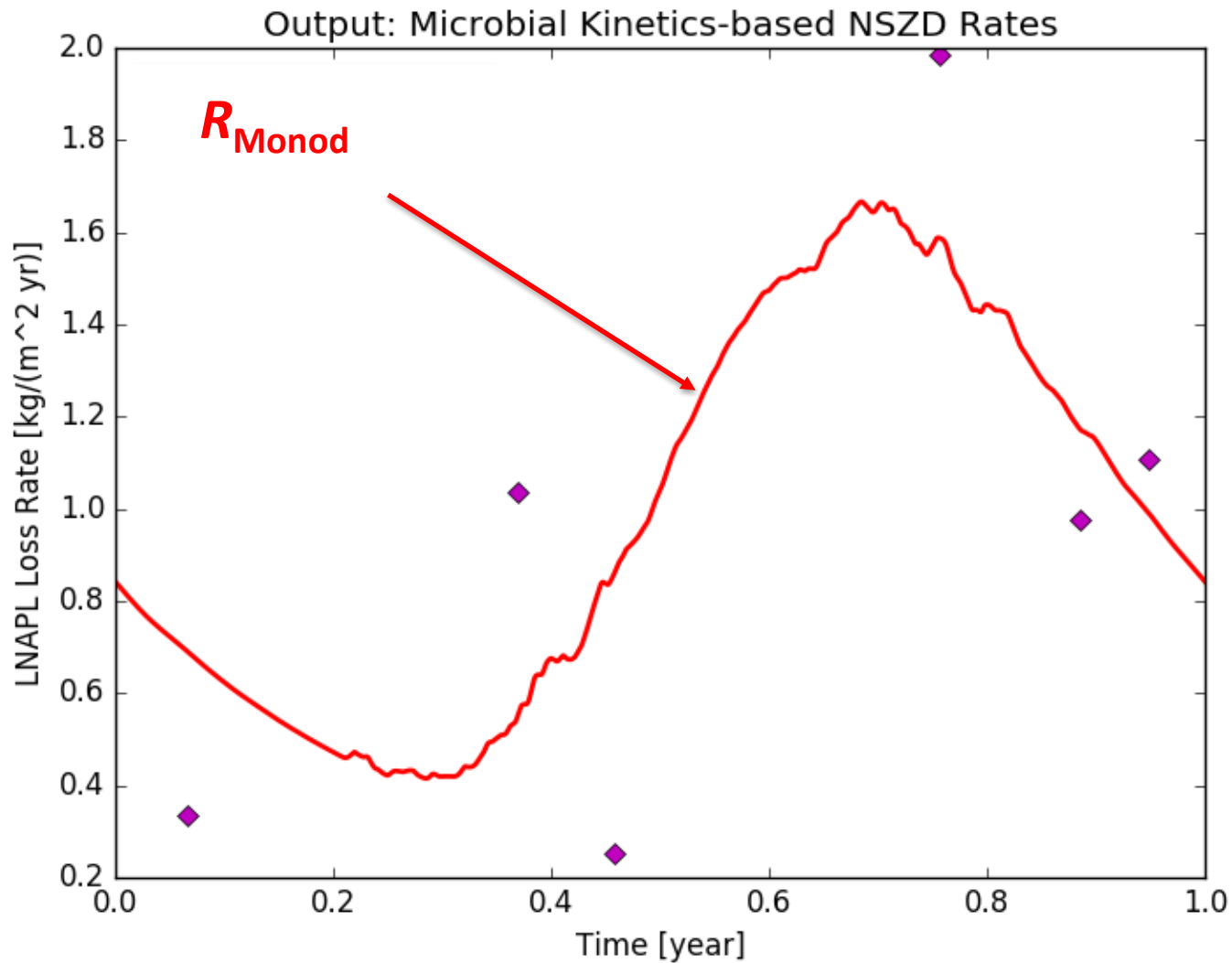
# Base Case : Bemidji



Field rates from Sihota, 2014.

# Case Study: Bemidji

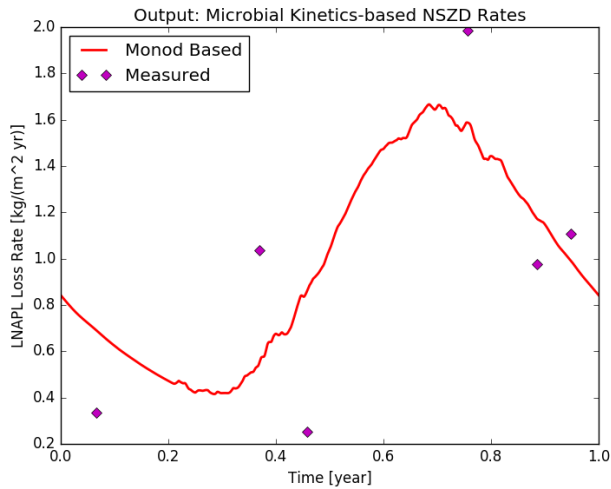
Also looking at each set of results in different time scales (short term, monthly, and annual averages) and comparing to the mass-balance NSZD rate ( $R_{\text{monod}}$ )



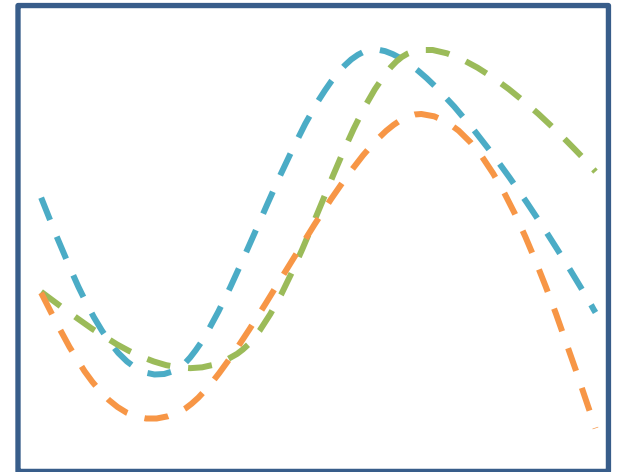
# Reconciling MB with HB, V.0?

1. Using the mass balance/  
Monod rates

2. Using thermal gradients



Vs.

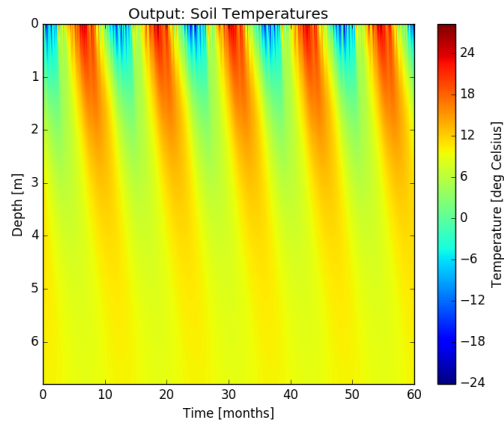


1

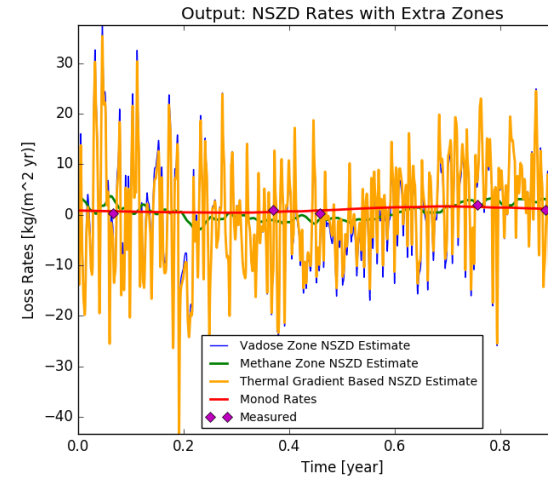
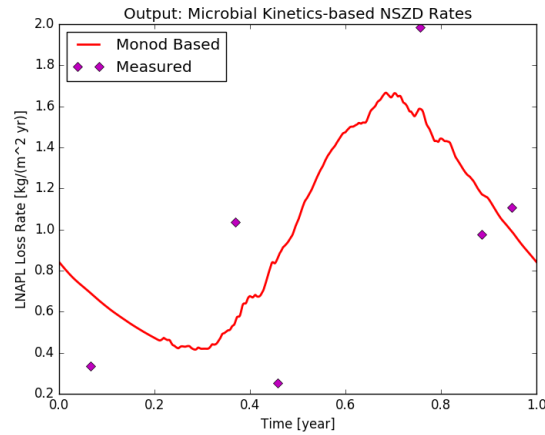
# No Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

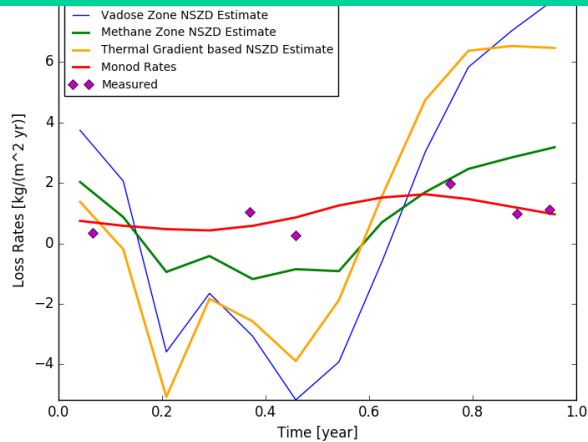
## Model Output



## Short term Average Thermal Gradient NSZD rates



## Monthly Average Thermal Gradient NSZD rates



## Annual Average Thermal Gradient NSZD rates

1. Thermal gradient location	Error Rate
Methane oxidation zone	<b>26.78%</b>
Aerobic Zone	<b>0.64%</b>
Entire Vadose Zone	<b>-0.57%</b>

# Model Runs

1

**Parameters:** Bemidji  
**Background location:**  
None

2  
7

**Parameters:** Bemidji  
**Background location:**  
Identical, except no  
contaminant

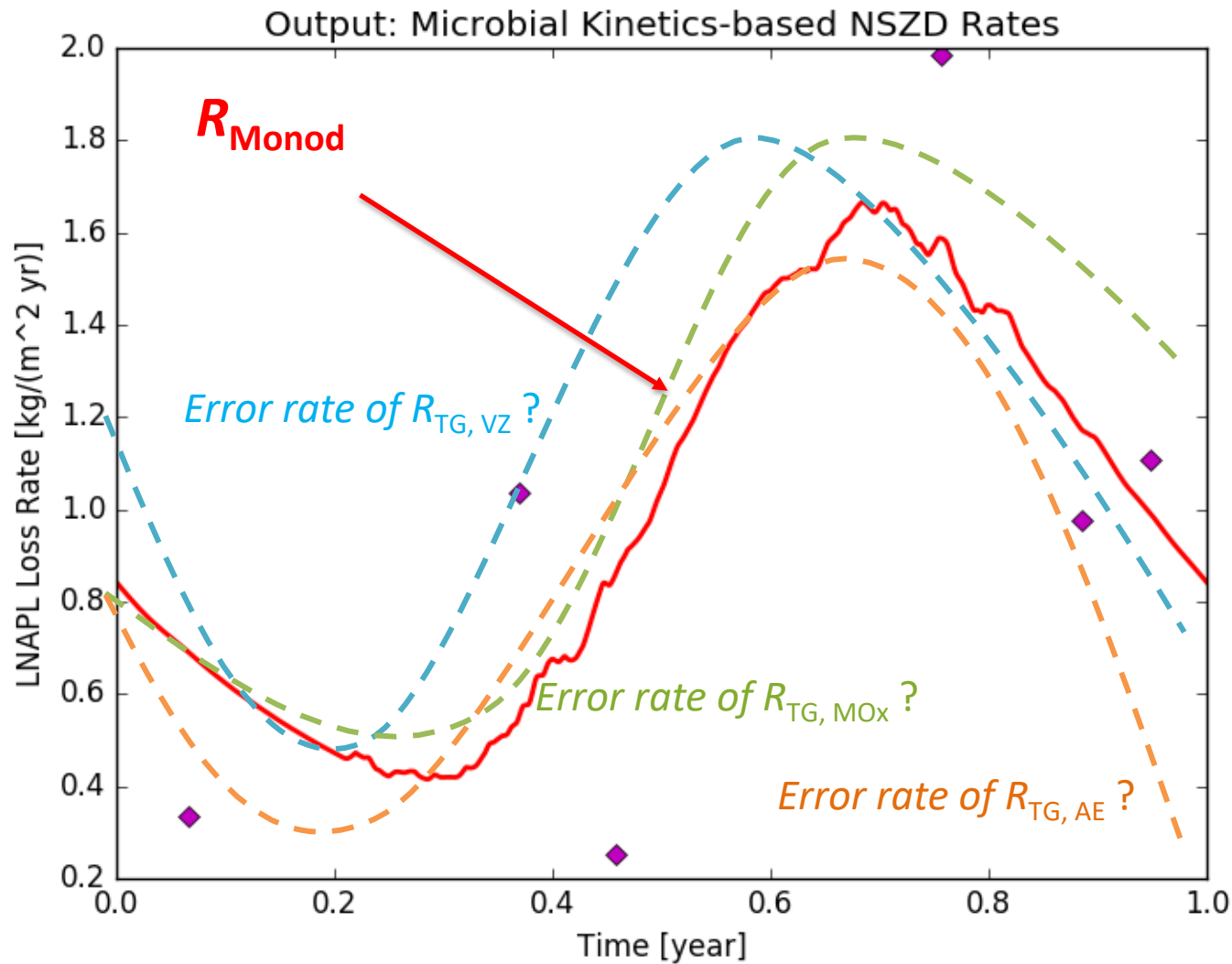
3

**Parameters:** Bemidji  
**Background location:**  
Identical, except  
different /thermal  
diffusivity (2x)



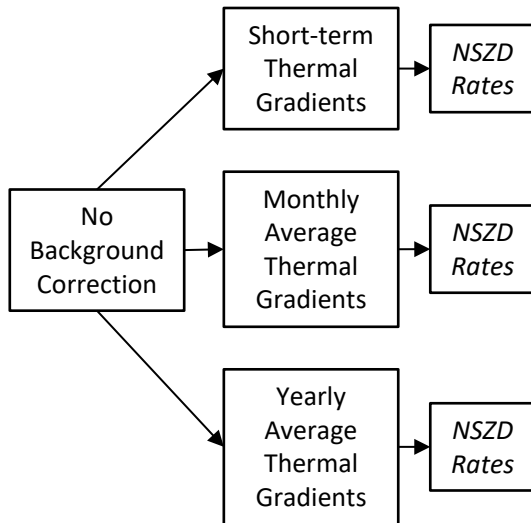
# Case Study: Bemidji

Also looking at each set of results in different time scales (short term, monthly, and annual averages) and comparing to the mass-balance NSZD rate ( $R_{\text{monod}}$ )

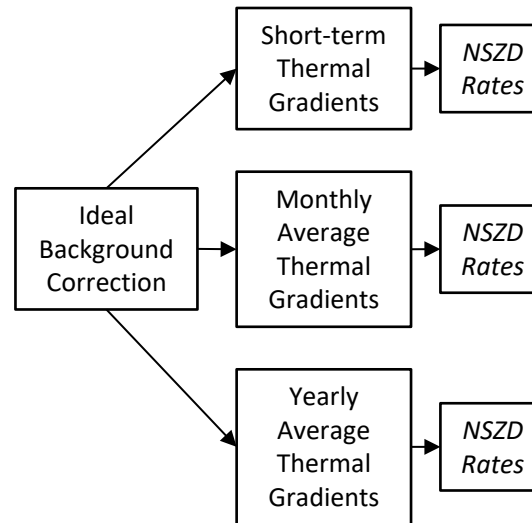


# Experimental Design

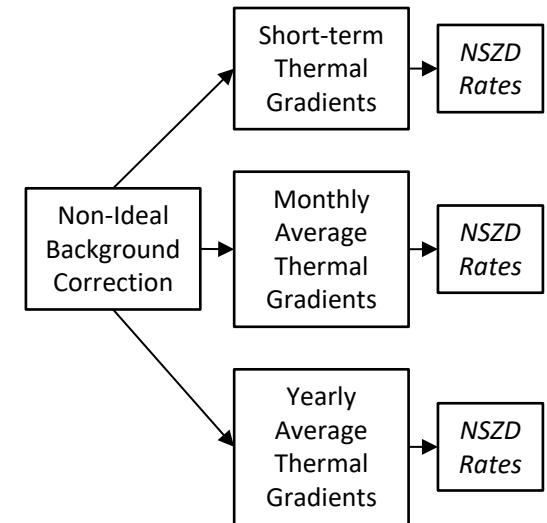
1



2



3



*3 pairs of planes for heat balance*

- **Aerobic zone** ( $R_{TG, AE}$ )
- **Entire vadose zone** ( $R_{TG, vz}$ )
- **Methane oxidation zone** ( $R_{TG, Mox}$ )

*27 thermal gradient estimates*

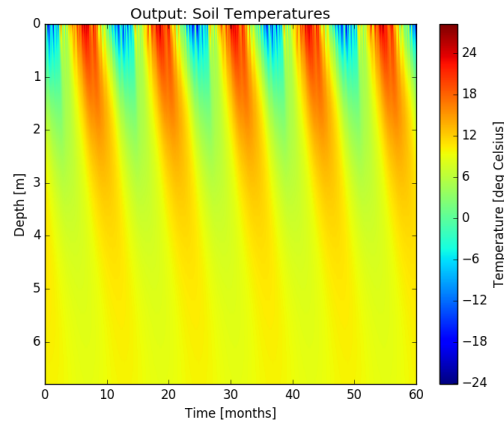
*Compare to mass-balance NSZD rates (Monod)*

1

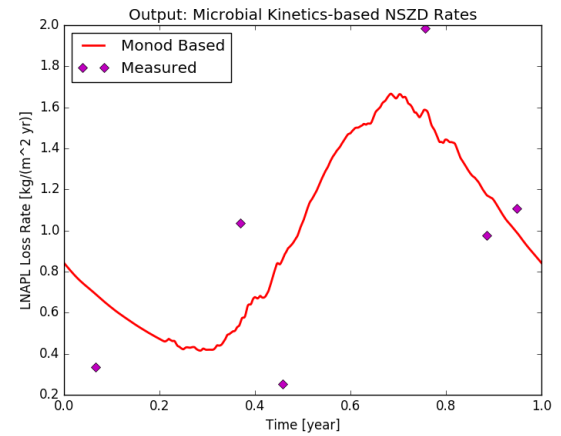
# No Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

## Model Output



## Short term Average Thermal Gradient NSZD rates

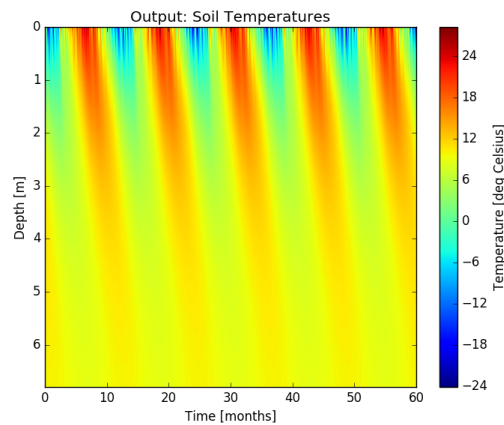


1

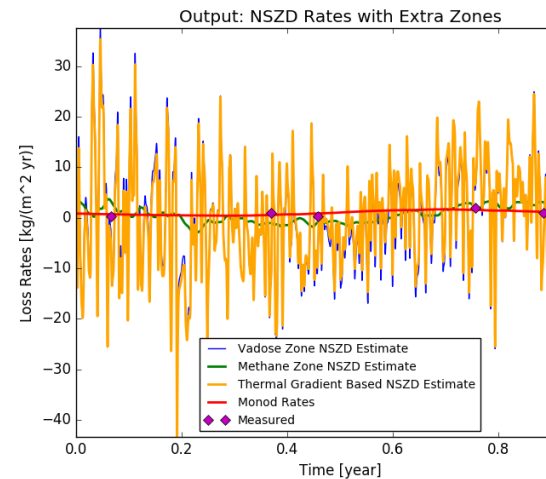
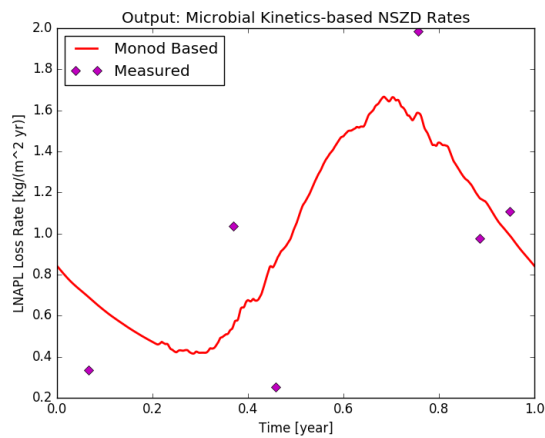
# No Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

## Model Output



## Short term Average Thermal Gradient NSZD rates

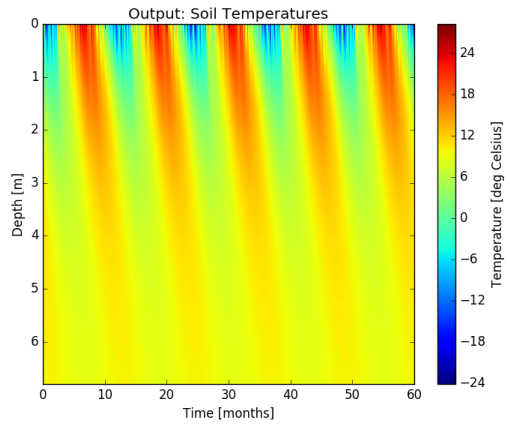


1

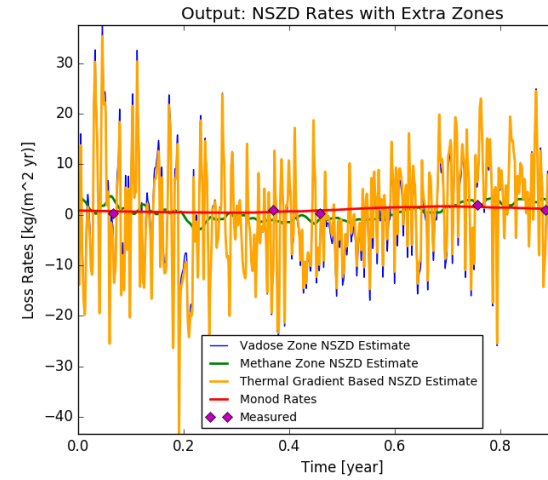
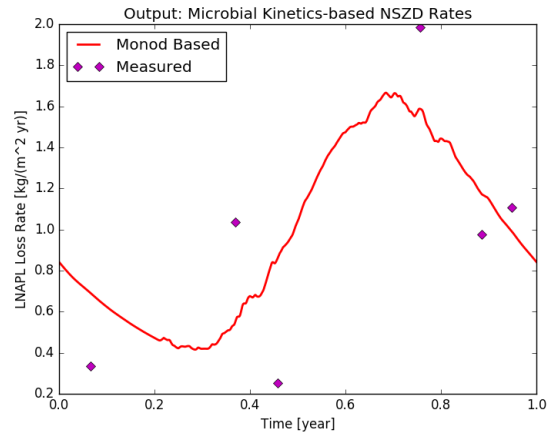
# No Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

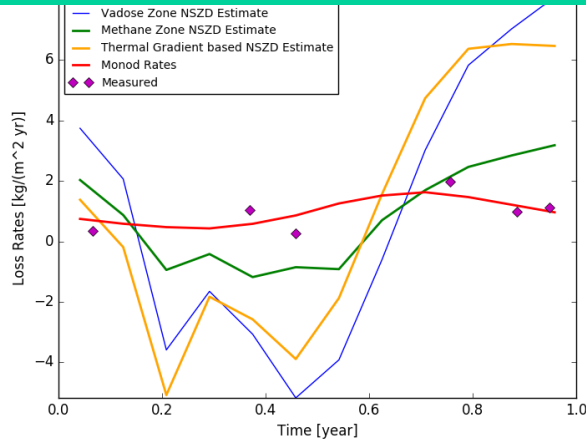
## Model Output



## Short term Average Thermal Gradient NSZD rates



## Monthly Average Thermal Gradient NSZD rates

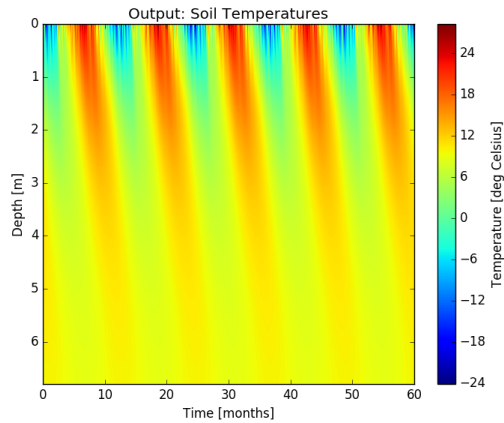


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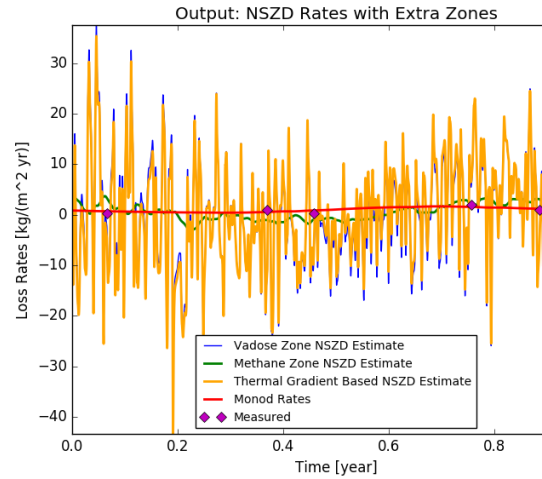
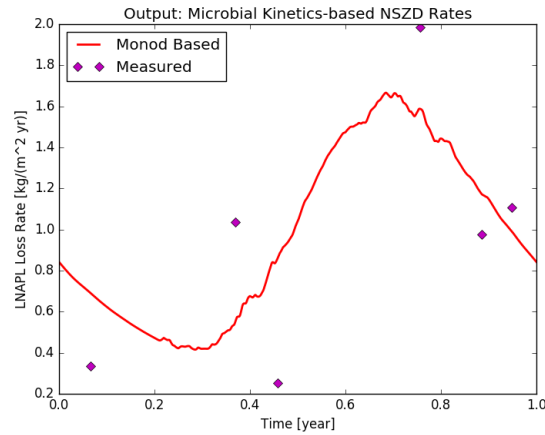
# No Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

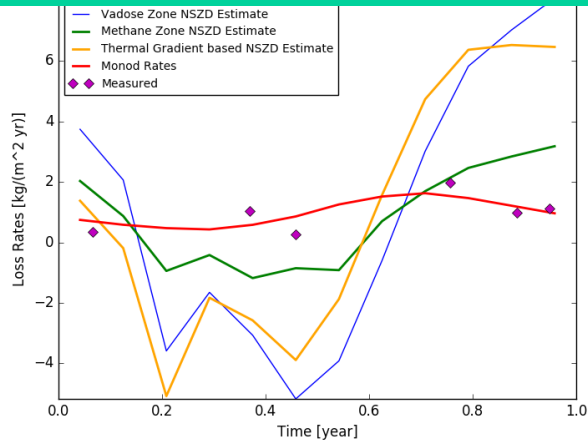
## Model Output



## Short term Average Thermal Gradient NSZD rates



## Monthly Average Thermal Gradient NSZD rates



## Annual Average Thermal Gradient NSZD rates

1. Thermal gradient location	Error Rate
Methane oxidation zone	<b>19%</b>
Aerobic Zone	<b>0.4%</b>
Entire Vadose Zone	<b>0.1%</b>

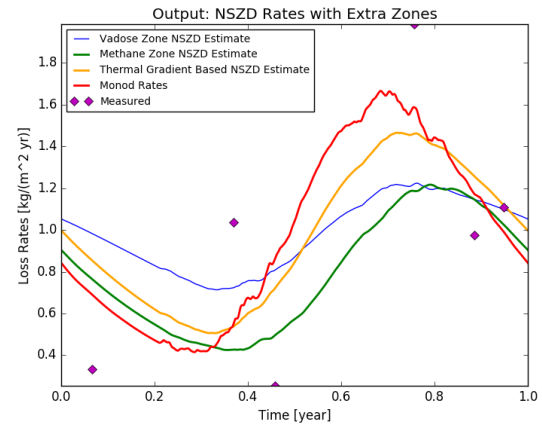
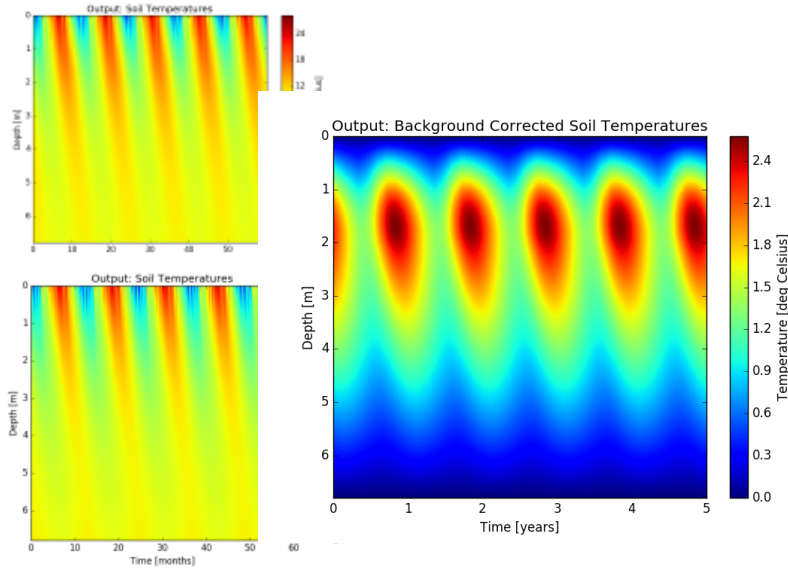
# 2

# Ideal Background Correction

$$\alpha_{\text{site}} = \alpha_{\text{background}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

## Model Output

## Short term Average Thermal Gradient NSZD rates



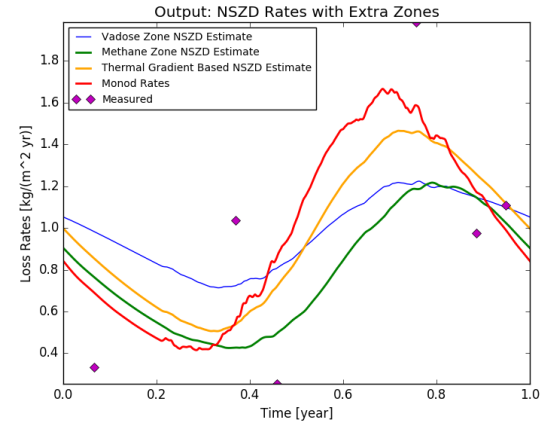
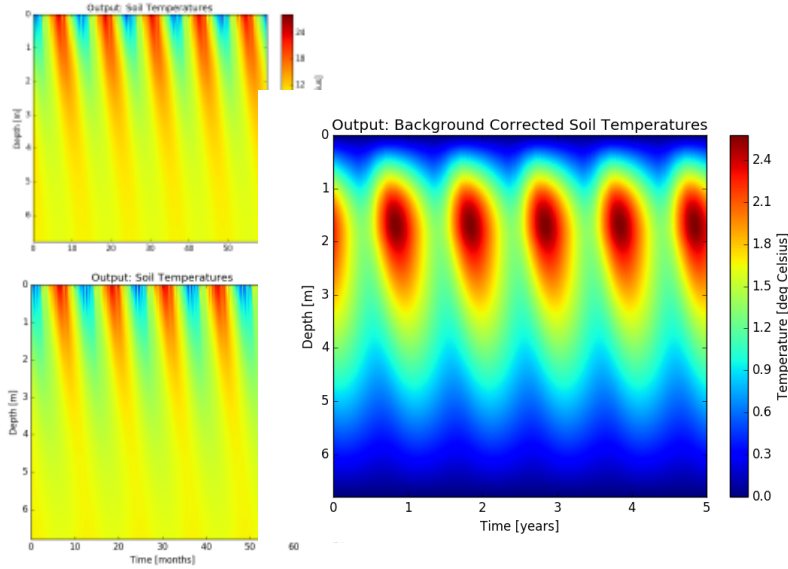
2

# Ideal Background Correction

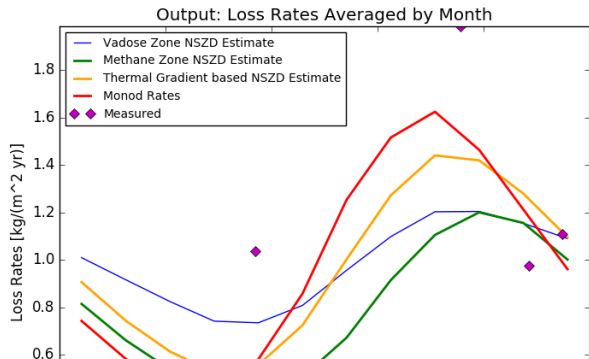
$$\alpha_{\text{site}} = \alpha_{\text{background}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

**Model Output**

**Short term Average Thermal Gradient NSZD rates**



**Monthly Average Thermal Gradient NSZD rates**



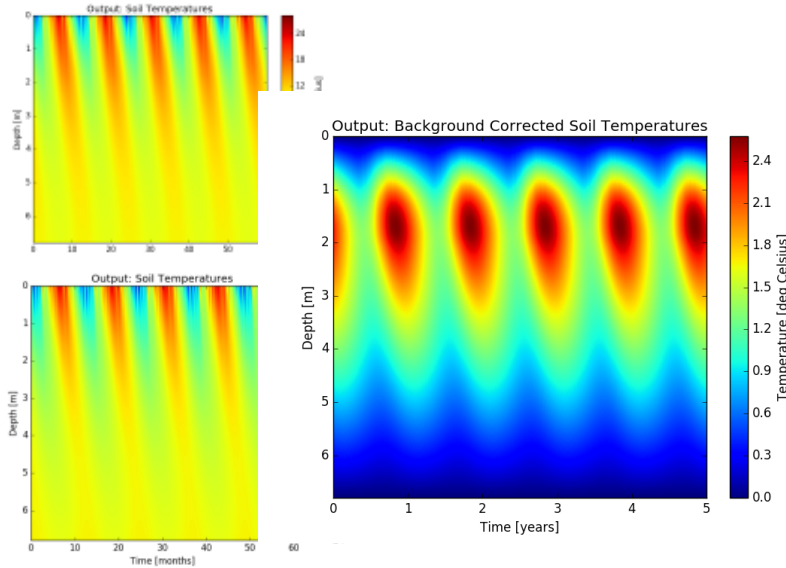


# 2

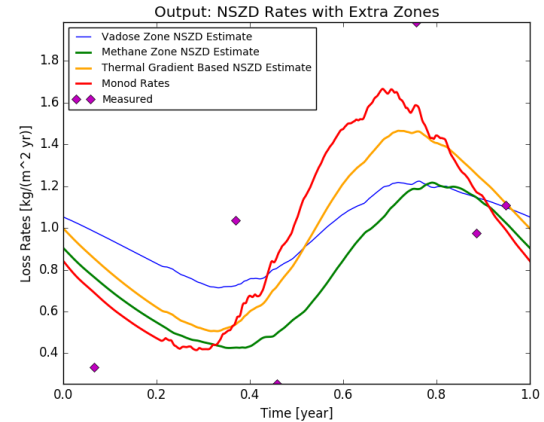
# Ideal Background Correction

$$\alpha_{\text{site}} = \alpha_{\text{background}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}$$

## Model Output

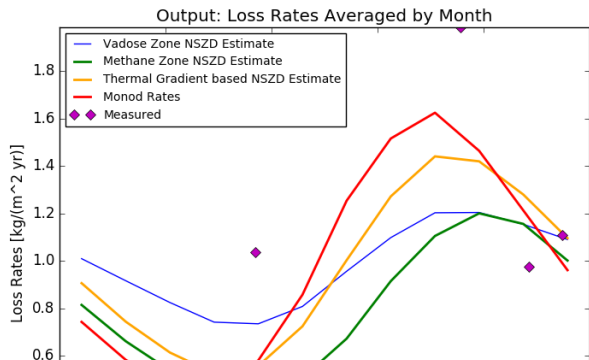


## Short term Average Thermal Gradient NSZD rates



## Monthly Average Thermal Gradient NSZD rates

## Annual Average Thermal Gradient NSZD rates



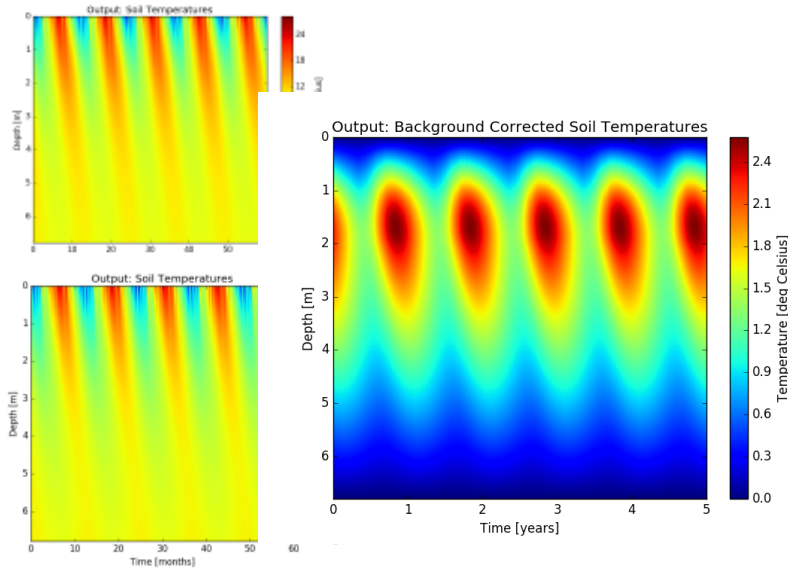
1. Thermal gradient location	Error Rate
Methane oxidation zone	<b>26.78%</b>
Aerobic Zone	<b>0.64%</b>
Entire Vadose Zone	<b>-0.57%</b>

3

# Non-ideal Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s} , \quad \alpha_{\text{background}} = 2 \alpha_{\text{site}}$$

## Model Output

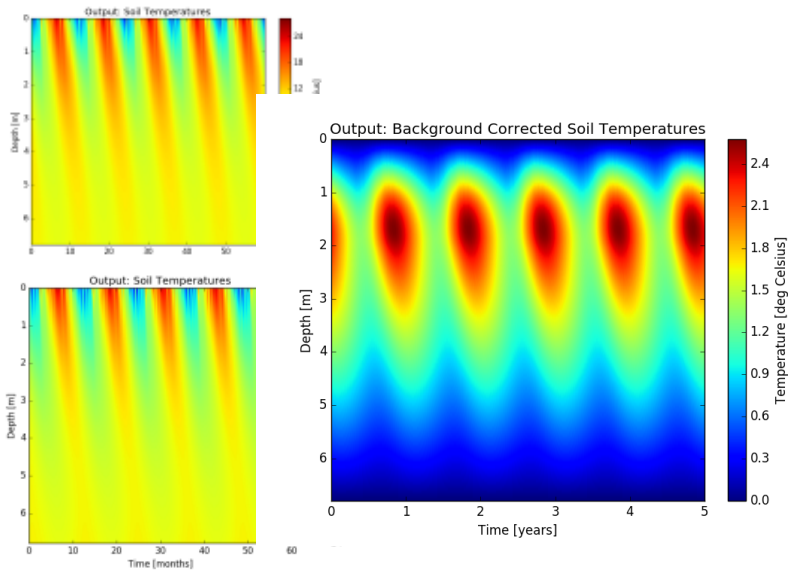


3

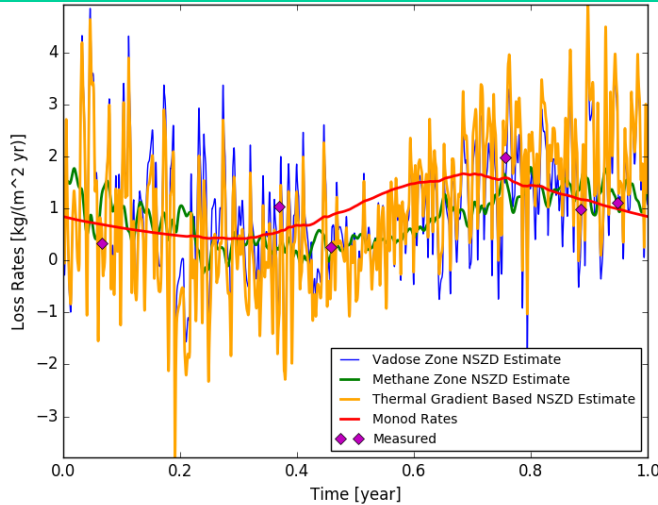
# Non-ideal Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}, \quad \alpha_{\text{background}} = 2 \alpha_{\text{site}}$$

## Model Output



## Short term Average Thermal Gradient NSZD rates

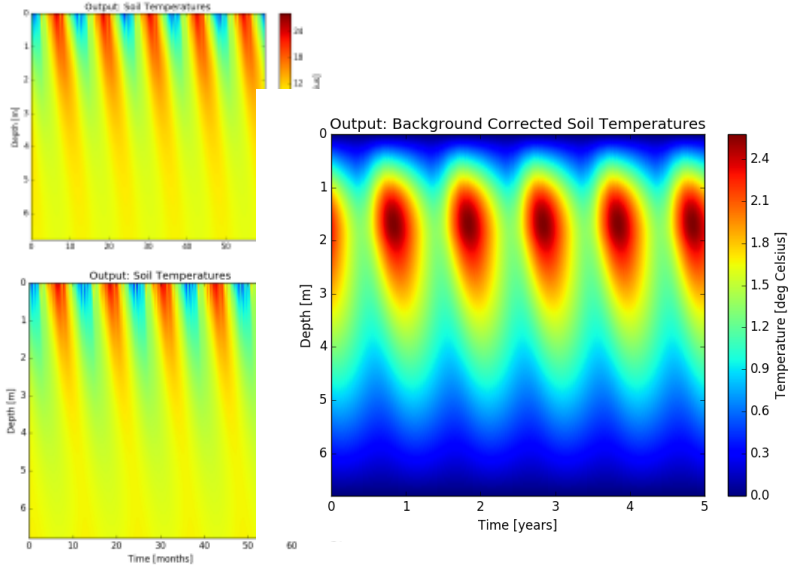


3

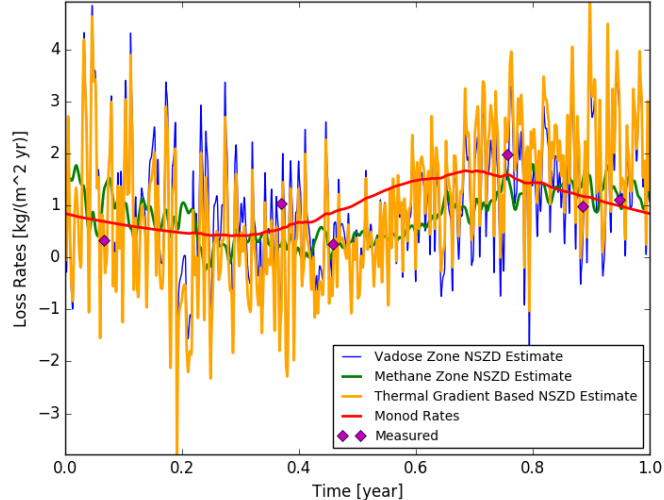
# Non-ideal Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s} , \alpha_{\text{background}} = 2 \alpha_{\text{site}}$$

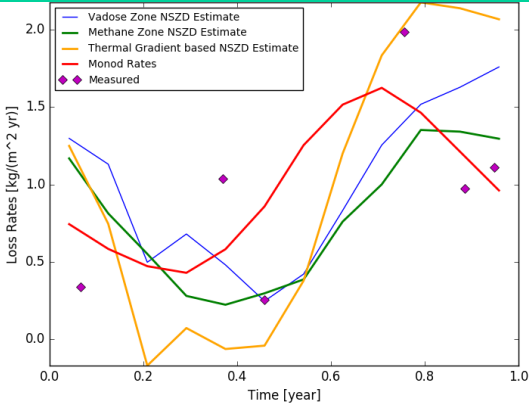
## Model Output



## Short term Average Thermal Gradient NSZD rates



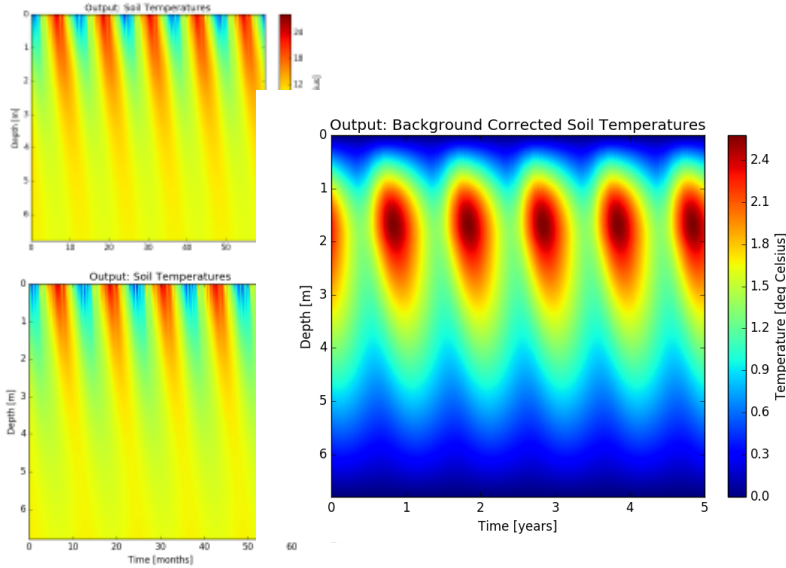
## Monthly Average Thermal Gradient NSZD rates



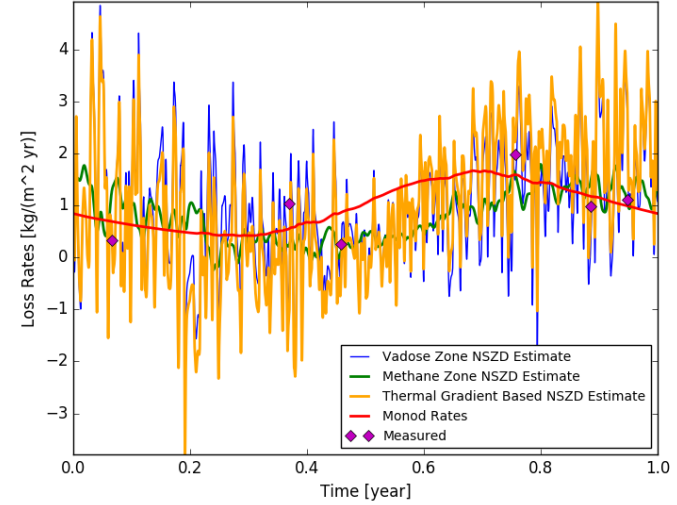
# Non-ideal Background Correction

$$\alpha_{\text{site}} = 3.58 \times 10^{-07} \text{ m}^2/\text{s}, \quad \alpha_{\text{background}} = 2 \alpha_{\text{site}}$$

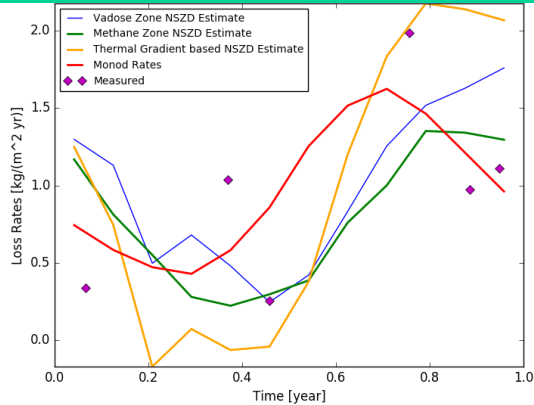
## Model Output



## Short term Average Thermal Gradient NSZD rates



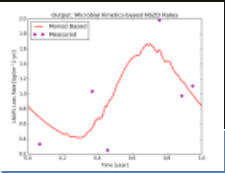
## Monthly Average Thermal Gradient NSZD rates



## Annual Average Thermal Gradient NSZD rates

1. Thermal gradient location	Error Rate
Methane oxidation zone	<b>26.78%</b>
Aerobic Zone	<b>0.64%</b>
Entire Vadose Zone	<b>-0.57%</b>

# Average Annual Thermal Gradients



	1 Absolute temperatures	2 Perfect Background	3 Imperfect Background
Short term			
Monthly Averages			
Annual Averages	Target:		
	<b><math>R_{\text{Monod,annual}} = 0.97 \text{ kg/m}^2.\text{yr} = 1,200 \text{ gallons/ac.yr}</math></b>		
Methane Oxidation Zone	0.79 kg/m <sup>2</sup> .yr (19%)	0.788 (19%)	0.78 (19%)
Entire vadose zone	0.97 (0.4%)	0.97 (0.4%)	0.978 (0.4%)
Aerobic zone	0.96 (1%)	0.97 (1%)	0.96 (1%)

# Further Reading on Long-Term Thermal

Thermal gradient method very sensitive to background location selection (Rayner et al, 2020)

Single Stick Method (Askarami and Sale, 2020) no background location if heat balances is cumulative (integrated through time)

# Further Reading on Long-Term Thermal

Water Research 169 (2020) 115245



Contents lists available at [ScienceDirect](https://www.sciencedirect.com)

Water Research

journal homepage: [www.elsevier.com/locate/watres](http://www.elsevier.com/locate/watres)



## Thermal estimation of natural source zone depletion rates without background correction



Kayvan Karimi Askarani, Thomas Clay Sale\*

*Civil and Environmental Engineering Department, Colorado State University, 1320 Campus Delivery, B01, Fort Collins, CO. 80523-1320, USA*

### ARTICLE INFO

#### Article history:

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10 October 2019

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Available online 31 October 2019

*Keywords:*

### ABSTRACT

Real-time monitoring of subsurface temperature profiles is a promising approach to resolving natural source zone depletion (NSZD) rates for shallow petroleum liquids. Herein, a new "single stick" computational method for transforming temperature data into NSZD rates is advanced. The method is predicated on subsurface temperatures being a function of surface heating and cooling, and the heat associated with NSZD. Given subsurface temperature at two points, a system of two-equation two-unknown is used to resolve NSZD rates. Mathematical formulations and computational algorithms are validated through computational tests showing near perfect agreement between prescribed and pre-

Askarami and Sale, 2020, Single Stick Method: Analytical Solution to the Heat Equation solved at each time step (i.e., daily), then numerically integrated through time.



# Further Reading on Long-Term Thermal

- Battelle 2018 Conference



US 20170023539A1



(19) **United States**  
(12) **Patent Application Publication** (10) **Pub. No.: US 2017/0023539 A1**  
**Zimbron** (43) **Pub. Date: Jan. 26, 2017**

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(54) **ESTABLISHMENT OF CONTAMINANT DEGRADATION RATES IN SOILS USING TEMPERATURE GRADIENTS, ASSOCIATED METHODS, SYSTEMS AND DEVICES** (52) **U.S. CL.**  
CPC ..... *G01N 33/24* (2013.01); *G01N 25/4846* (2013.01); *C12Q 1/04* (2013.01); *G01N 2033/243* (2013.01)

- Askarami and Sale, 2020

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Thermal estimation of natural source zone depletion rates without background correction



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#### ABSTRACT

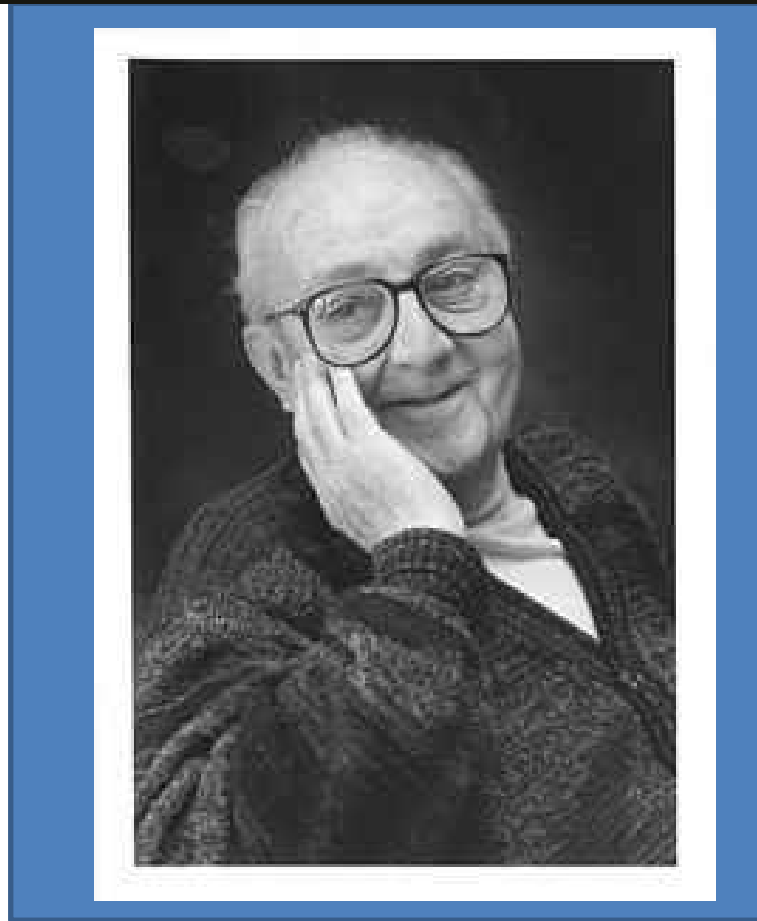
Real-time monitoring of subsurface temperature profiles is a promising approach to resolving natural source zone depletion (NSZD) rates for shallow petroleum liquids. Herein, a new "single stick" computational method for transforming temperature data into NSZD rates is advanced. The method is predicated on subsurface temperatures being a function of surface heating and cooling, and the heat associated with NSZD. Given subsurface temperature at two points, a system of two-equation two-unknown is used to resolve NSZD rates. Mathematical formulations and computational algorithms are validated through computational tests showing near perfect agreement between prescribed and pre-

Thermal gradient method very sensitive to background location selection (Rayner et al, 2020)  
Both long term approaches reduce to similar practice: long term heat balances reduces error

# Conclusions

- Simple model improves understanding of LNAPL NSZD CSM
- Simulated temperature measurement errors do not seem large with respect to error due to short term ambient temperature fluctuations
- Ideal background location reduces error rates (short term and monthly averages)
- Departures from ideal background correction introduce significant errors
- Noise due to short-term fluctuations in ambient temperatures cancels out over an annual (seasonal cycle) period
- Annual averaging improves thermal gradient-based LNAPL loss rate estimates within 1% or less target, as long as locations chosen are outside reactive zone: (*US Pat. 62/151.564*)

# On models...



(George E. P. Box, 1987)

“Essentially, all models are wrong, but some are useful”

“...the practical question is how wrong do they have to be to not be useful”

The logo for EoFLUX, featuring the text "EoFLUX" in a bold, white, sans-serif font. The letter "o" is a small green circle. The text is set against a dark brown rectangular background.

**EoFLUX**

*Easy set-up. Expert results.*

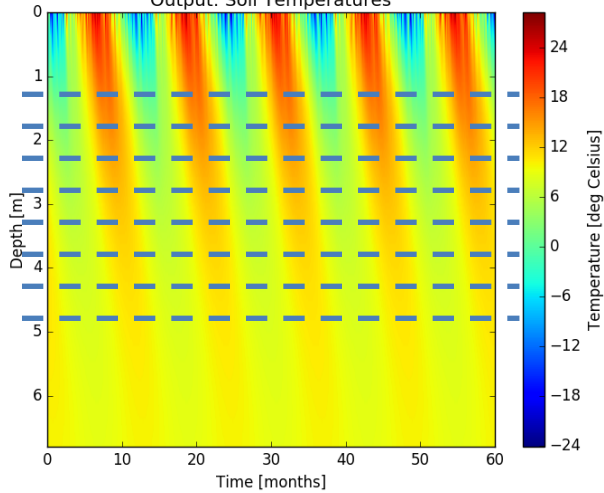
Julio Zimbron, Ph.D.  
[www.soilgasflux.com](http://www.soilgasflux.com)  
[jzimbron@soilgasflux.com](mailto:jzimbron@soilgasflux.com)



# Thermal Gradient Effects of T Measurement Error

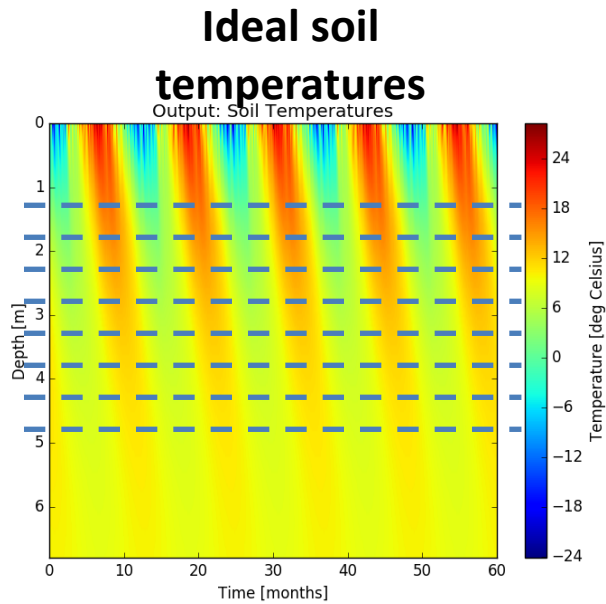
## Ideal soil temperatures

Output: Soil Temperatures



i) Sensor location  $\pm(2.5\text{cm})$

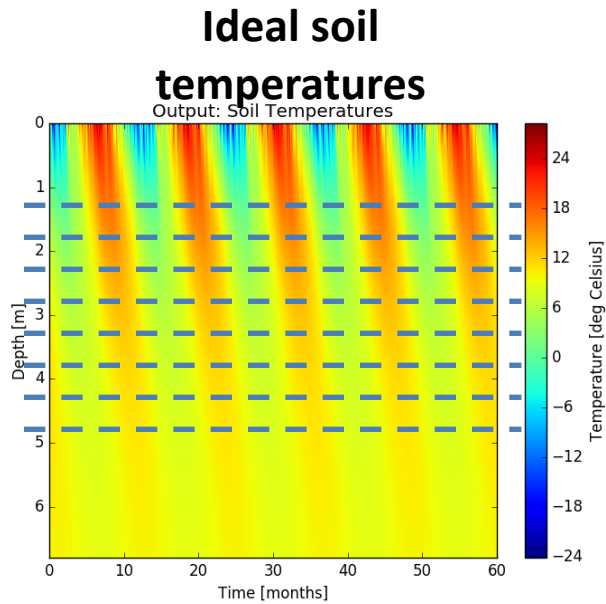
# Thermal Gradient Effects of T Measurement Error



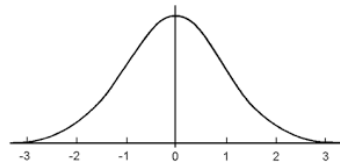
- i) Sensor location
- ii) Simulate thermocouple spacing (16 TCs on 8 m, 0.5 m apart)



# Thermal Gradient Effects of T Measurement Error

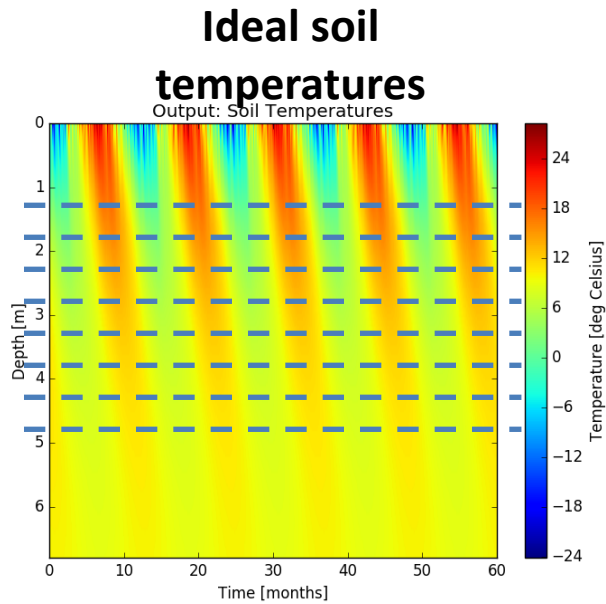


- i) Sensor location
- ii) Simulate thermocouple spacing (16 TCs on 8 m, 0.5 m apart)

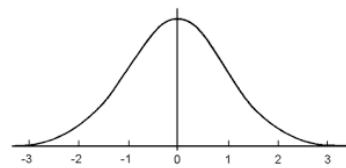


- iii) Add T measurement error (per assumed manufacturer spec)

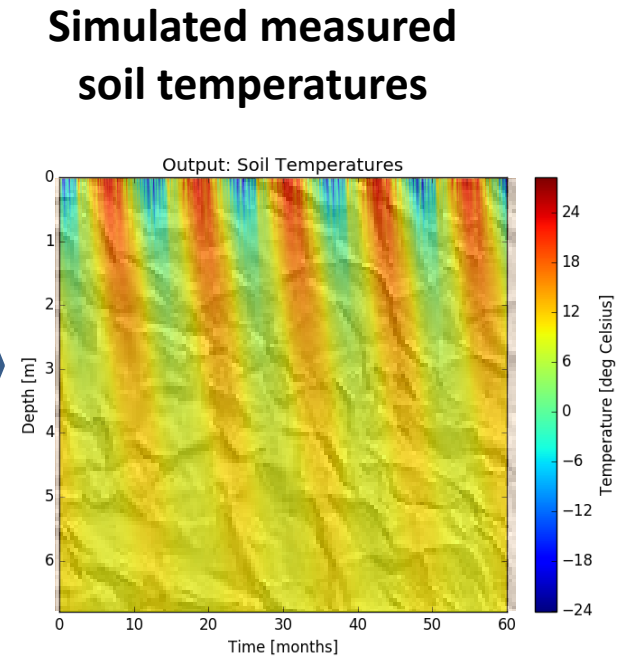
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- i) Sensor location
- ii) Simulate thermocouple spacing (16 TCs on 8 m, 0.5 m apart)

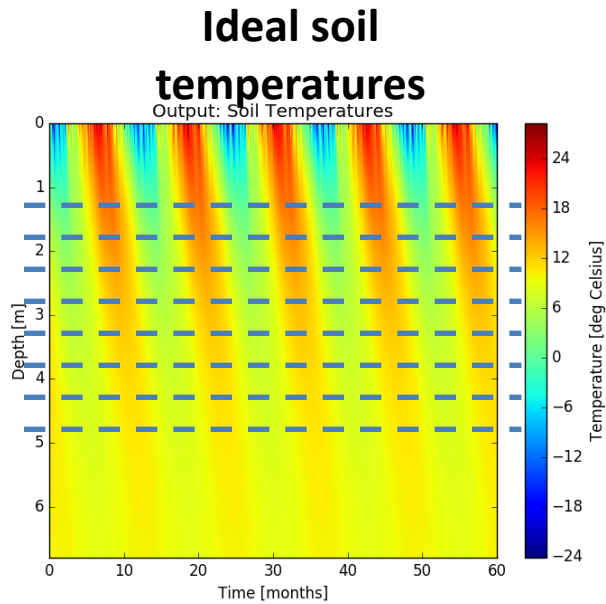


- iii) Add T measurement error (per assumed manufacturer spec)

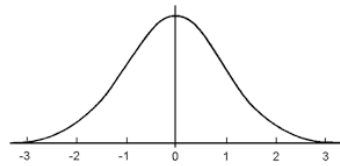




# Thermal Gradient Effects of T Measurement Error

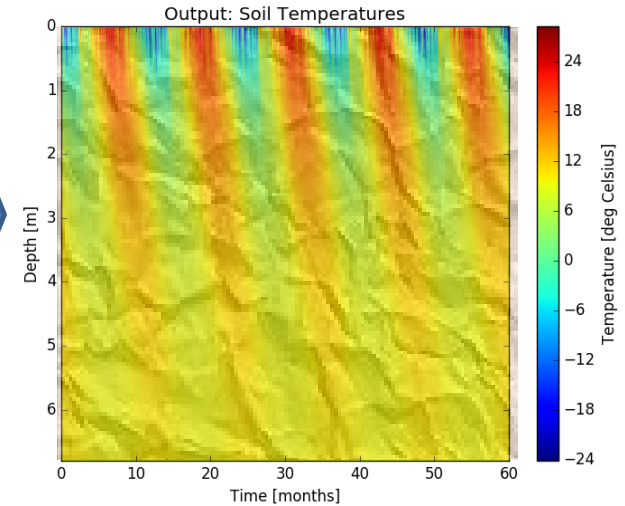


- i) Sensor location
- ii) Simulate thermocouple spacing (16 TCs on 8 m, 0.5 m apart)



- iii) Add T measurement error (per assumed manufacturer spec)

**Simulated measured soil temperatures**

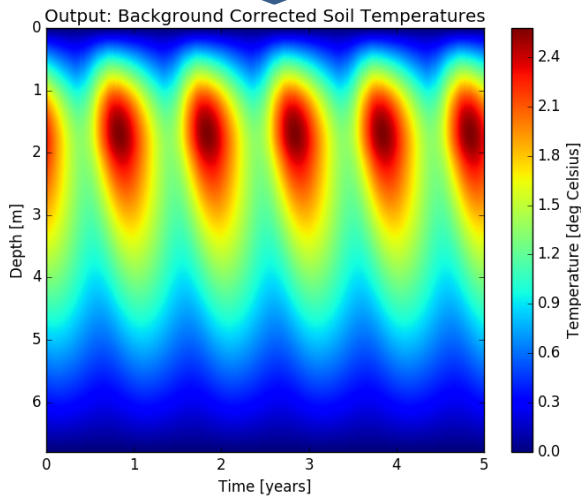
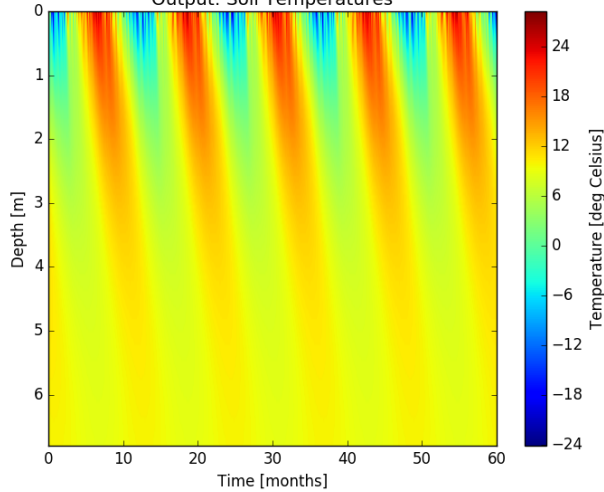


**Thermal Gradient Method**

# Thermal Gradient Effects of T Measurement Error

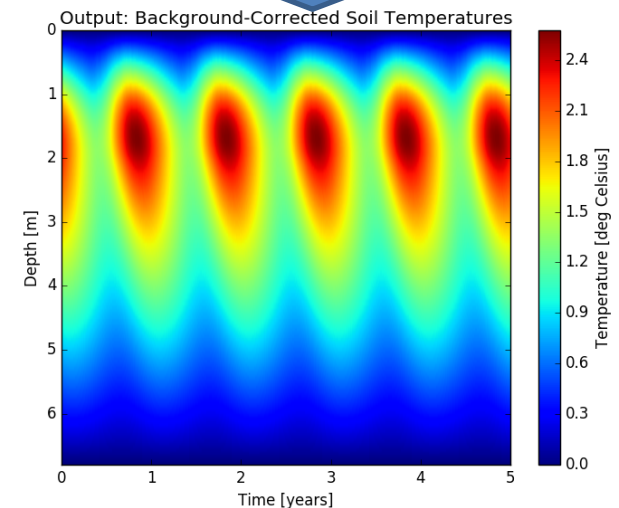
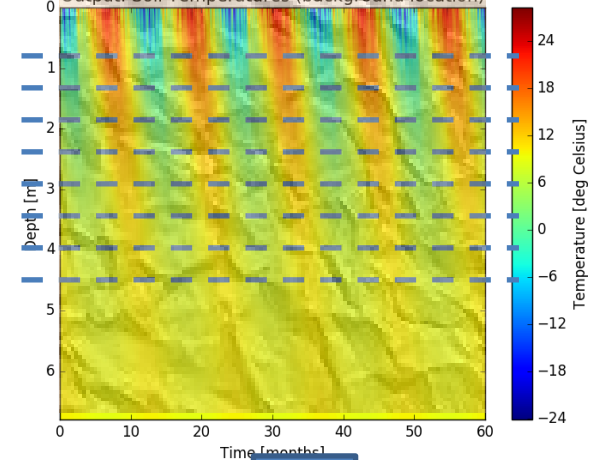
## Ideal soil temperatures

Output: Soil Temperatures



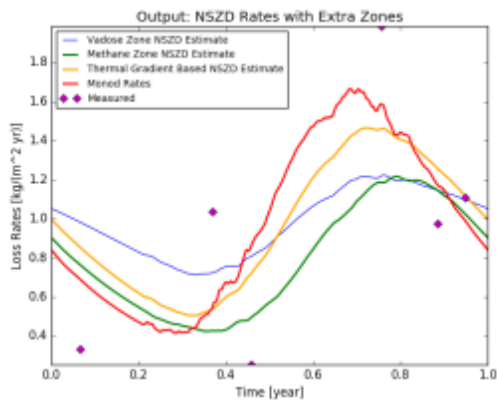
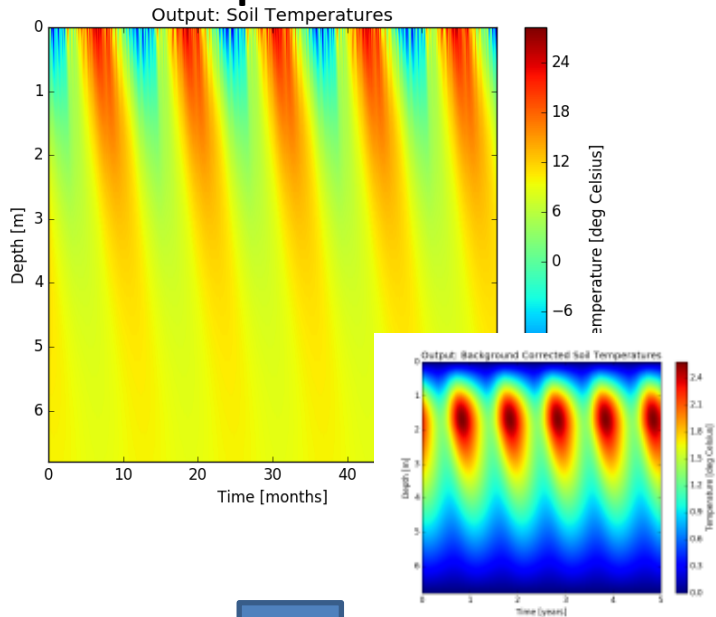
## Simulated measured soil temperatures

Output: Soil Temperatures (background location)

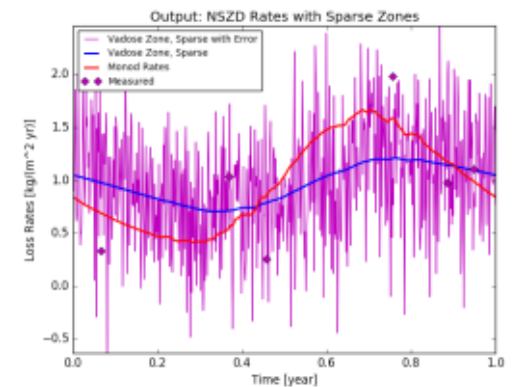
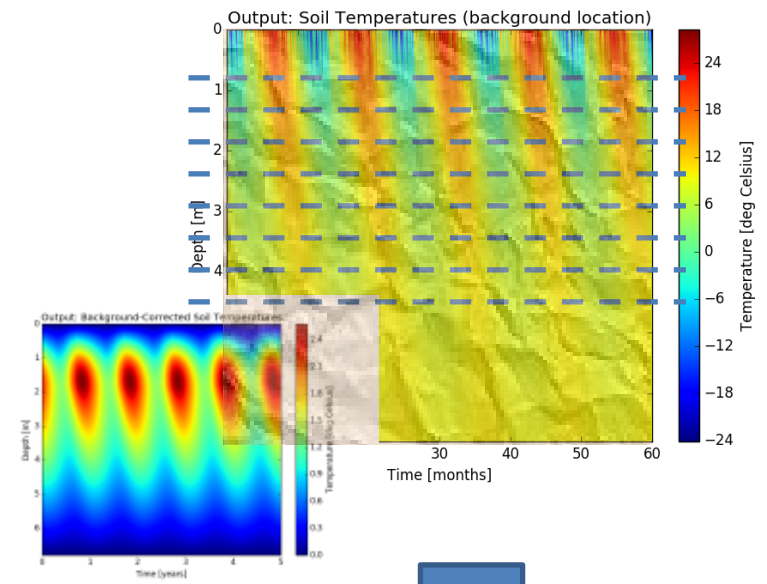


# Thermal Gradient Effects of T Measurement Error

## Ideal soil temperatures

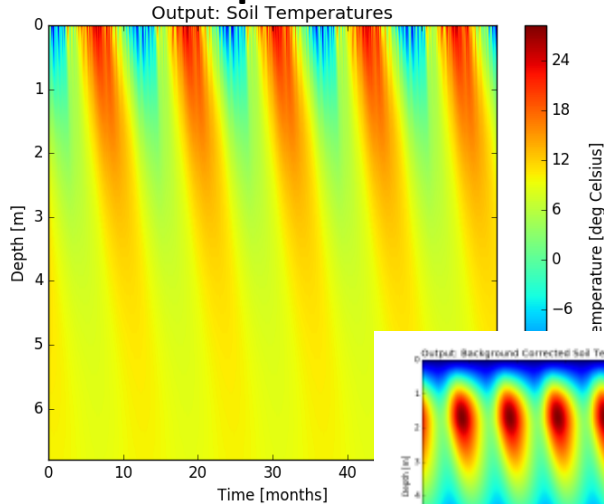


## Simulated measured soil temperatures

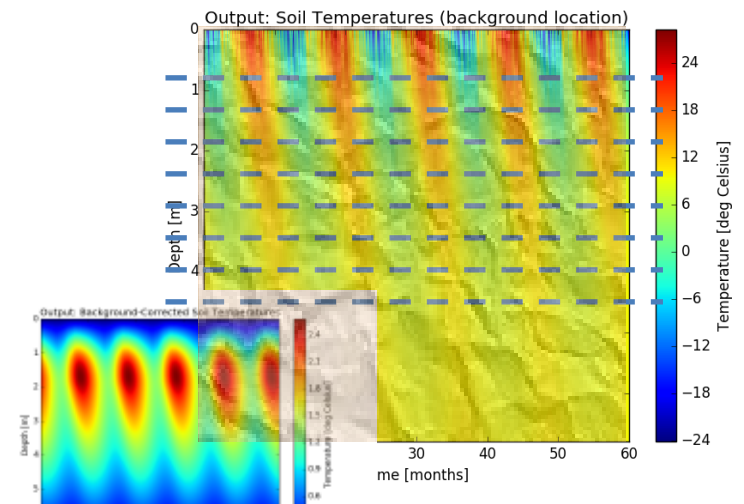


# Thermal Gradient Effects of T Measurement Error

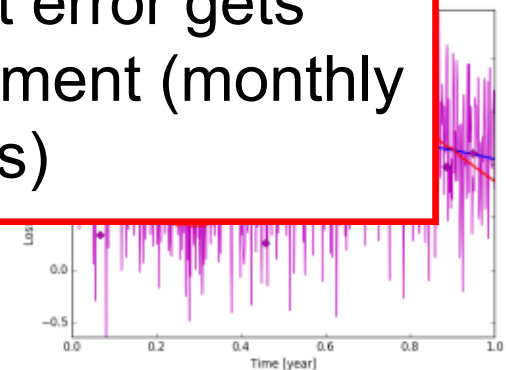
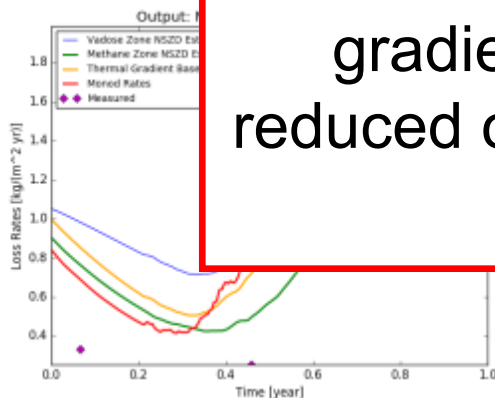
## Ideal soil temperatures



## Simulated measured soil temperatures



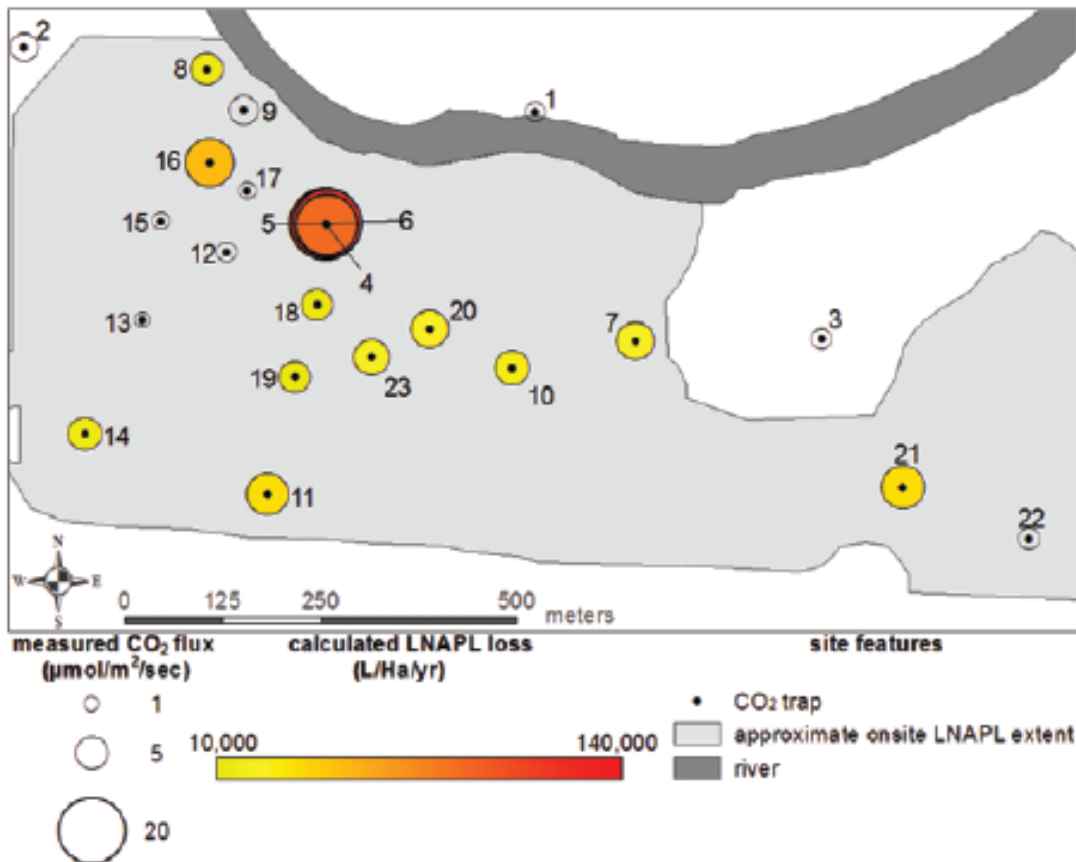
Simulated noisy soil temperatures add considerable error to short term thermal-gradient NSZD estimates, but error gets reduced over long term measurement (monthly and annual averages)



# Questions?

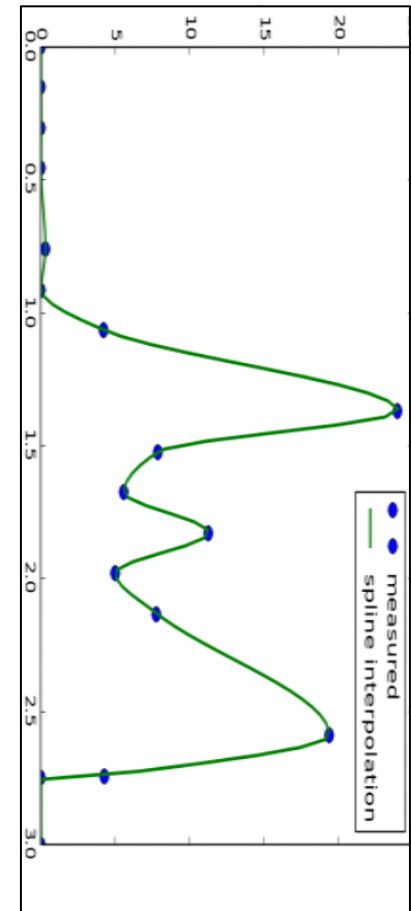
# Case Study 2: Former refinery

- Depth to Groundwater: 3 m
- Average Groundwater Temperature: 14 °C



Source: McCoy et al., 2014

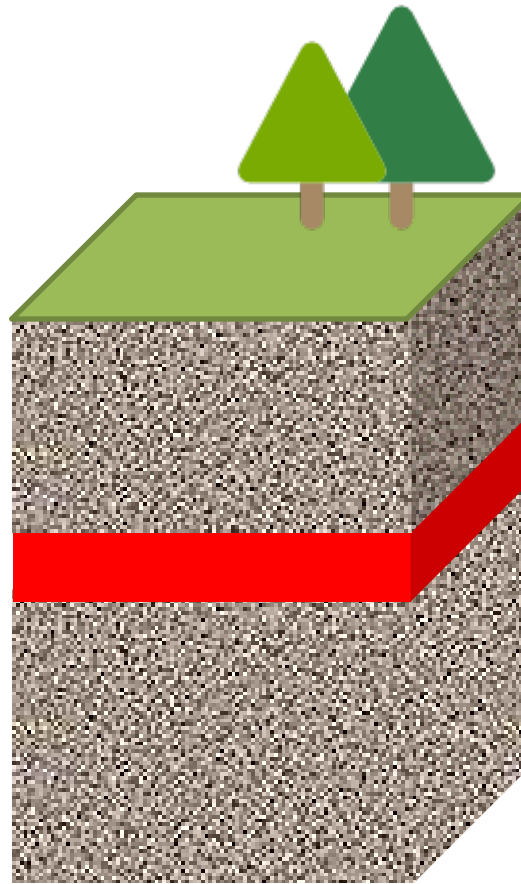
LNAPL concentration (kg/m<sup>3</sup>)



Irianni-Renno, 2014

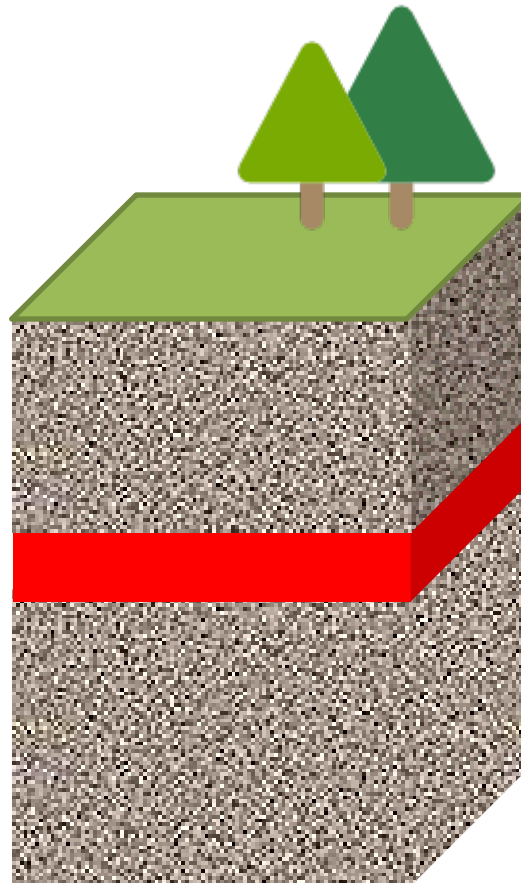
# Methods for Estimating LNAPL Loss

Using thermal gradients



# Methods for Estimating LNAPL Loss

Using thermal gradients

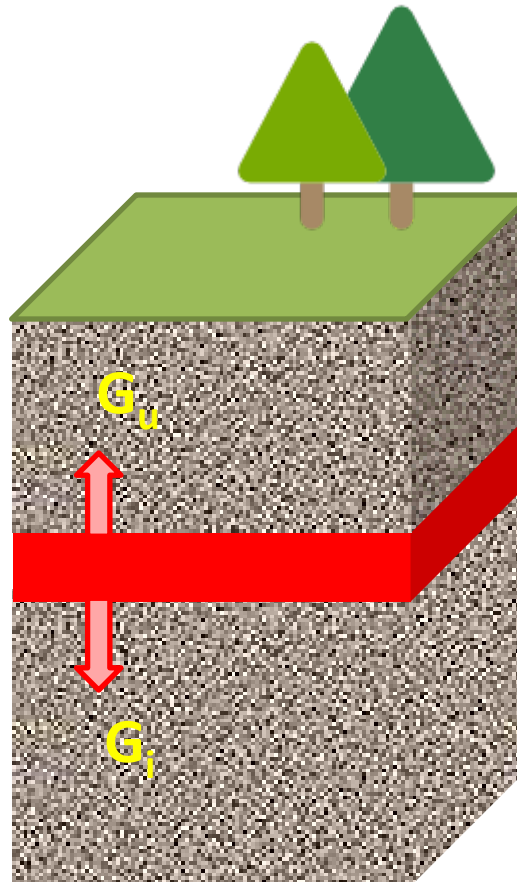




# Methods for Estimating LNAPL Loss

Using thermal gradients

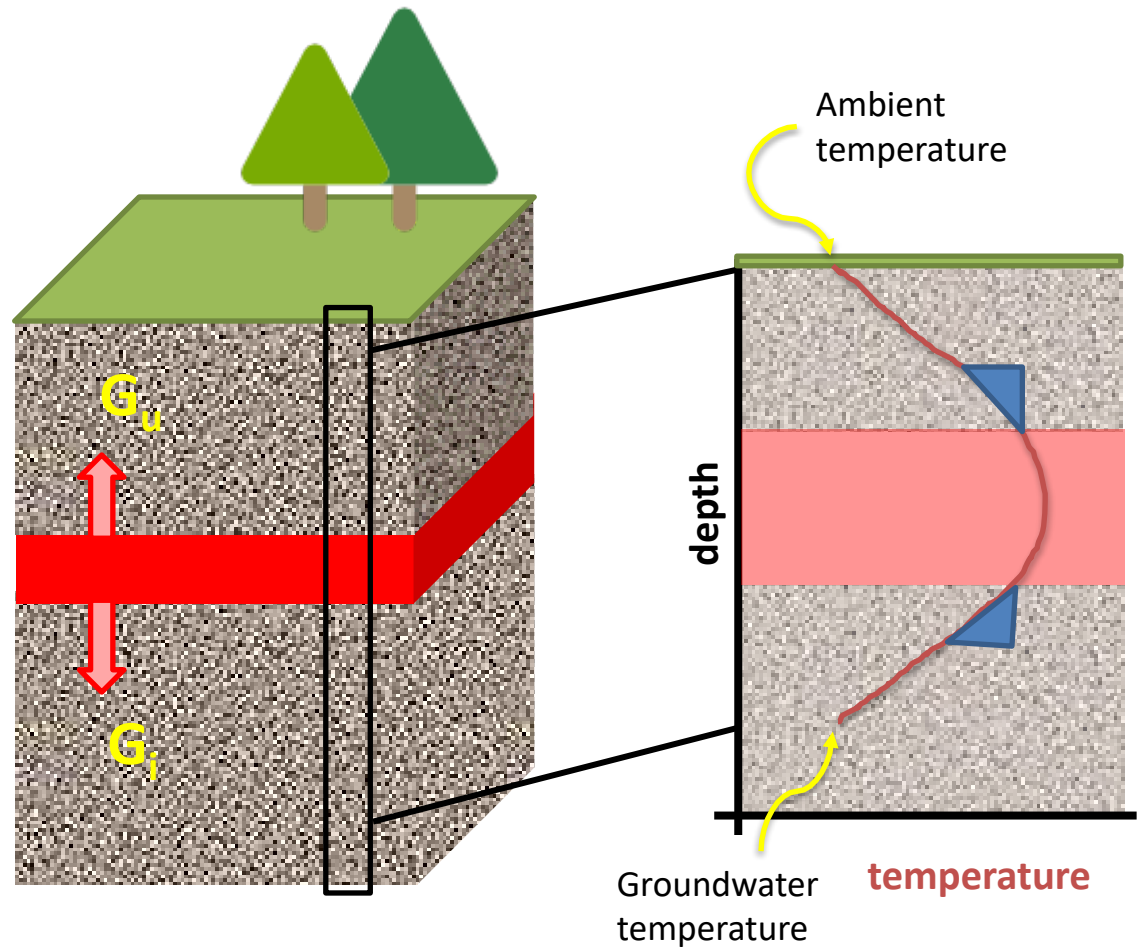
$$G = G_u + G_i$$



# Methods for Estimating LNAPL Loss

Using thermal gradients

$$G = G_u + G_i$$



# Modeling Heat Transfer in Soils

Laws of Nature



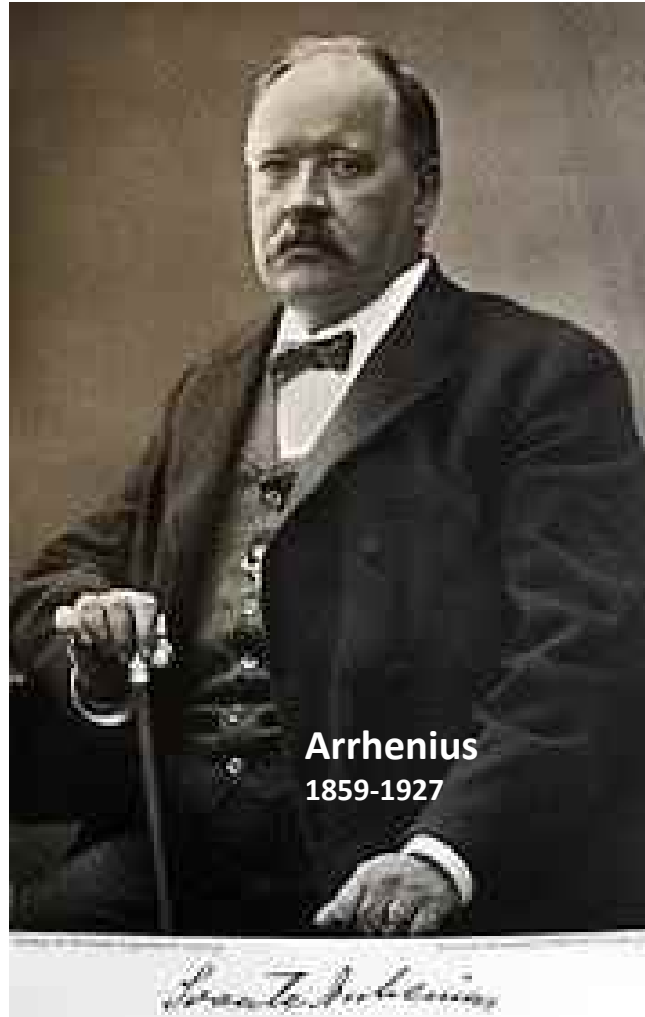
Fourier  
1768-1830

# Modeling Heat Transfer in Soils

Laws of Nature



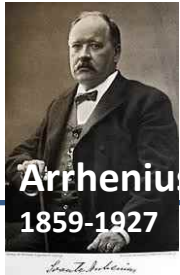
Fourier  
1768-1830



Arrhenius  
1859-1927

# Modeling Heat Transfer in Soils

Laws of Nature

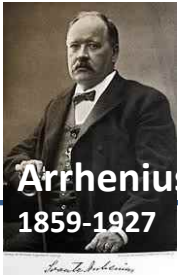


# Modeling Heat Transfer in Soils

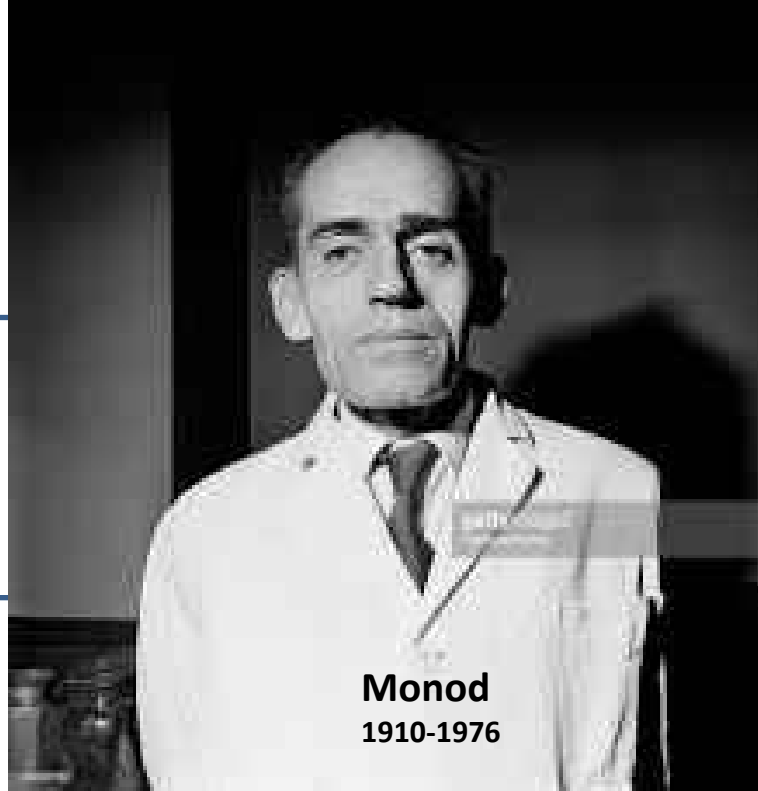
Laws of Nature



**Fourier**  
1768-1830



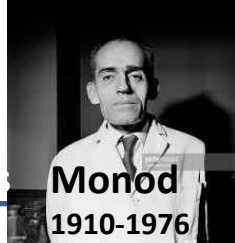
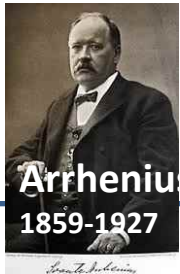
**Arrhenius**  
1859-1927



**Monod**  
1910-1976

# Modeling Heat Transfer in Soils

## Laws of Nature

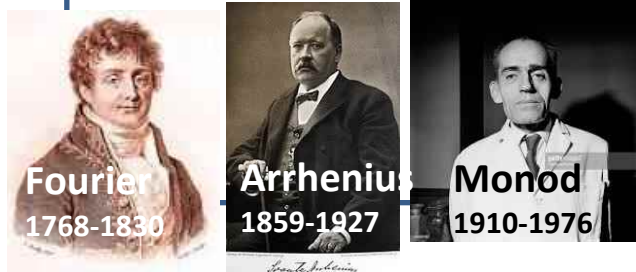


# Modeling Heat Transfer in Soils

## Field Data



## Laws of Nature



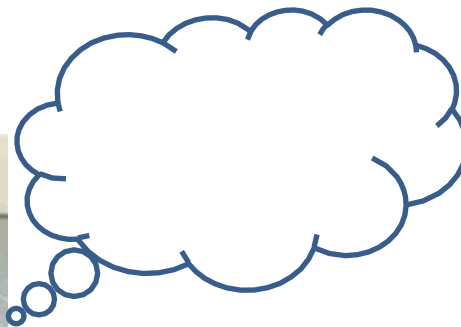
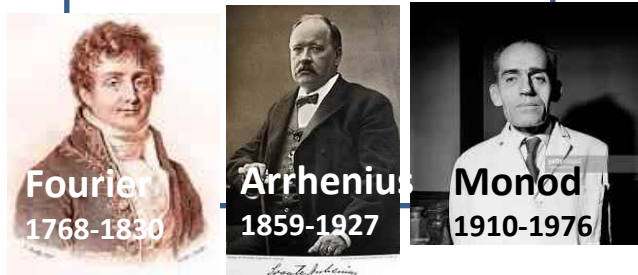


# Modeling Heat Transfer in Soils

## Field Data



## Laws of Nature

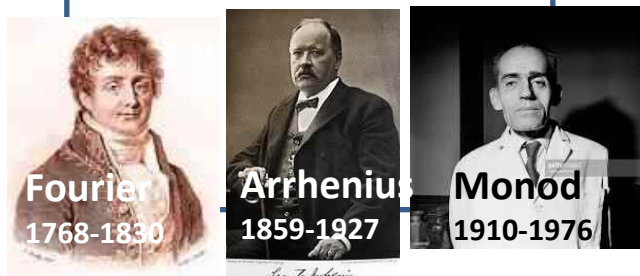


# Modeling Heat Transfer in Soils

## Field Data



## Laws of Nature



A simple, yet  
realistic geometry

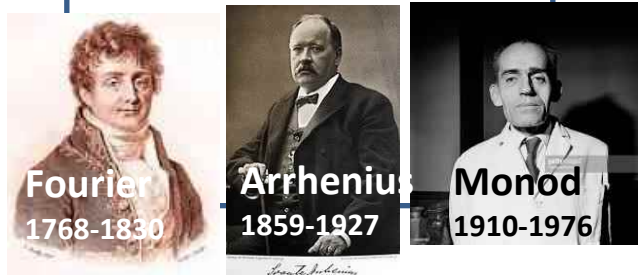


# Modeling Heat Transfer in Soils

## Field Data



## Laws of Nature



*BioTherm*

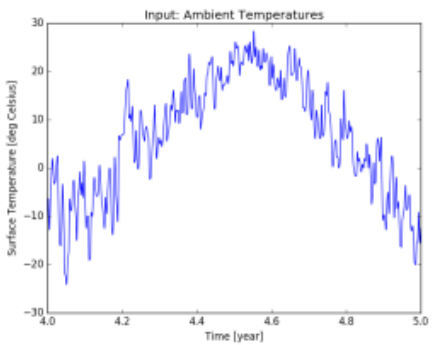
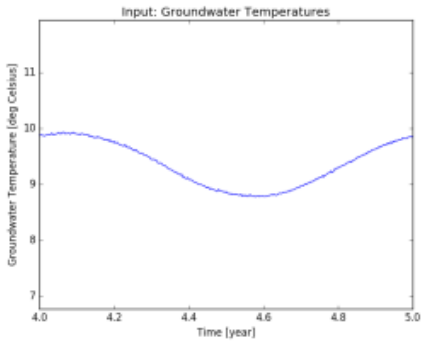
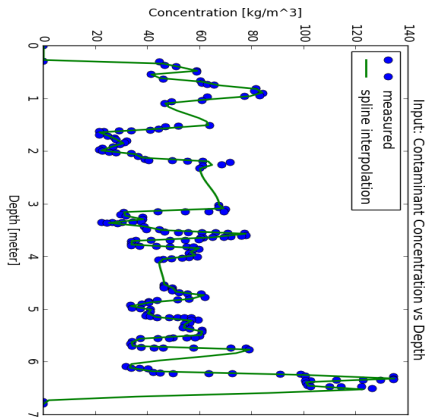
A simple, yet  
realistic geometry



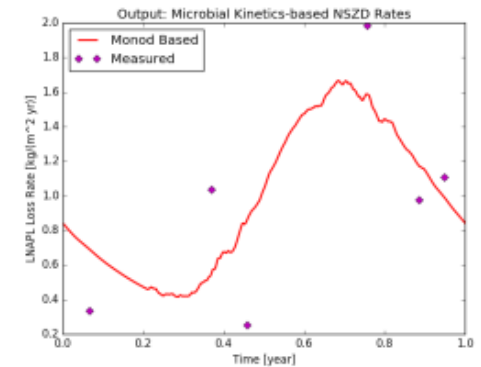
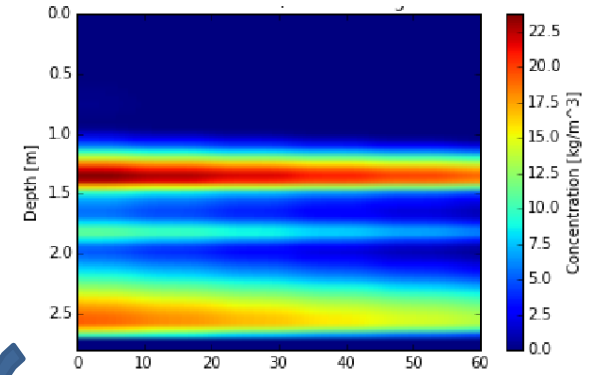
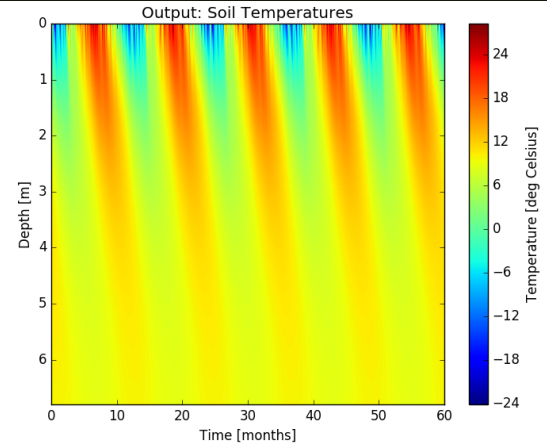
Available at:

[www.BiogenicHeat.com](http://www.BiogenicHeat.com)

# Inputs and Outputs



➔ *BioTherm* ➔

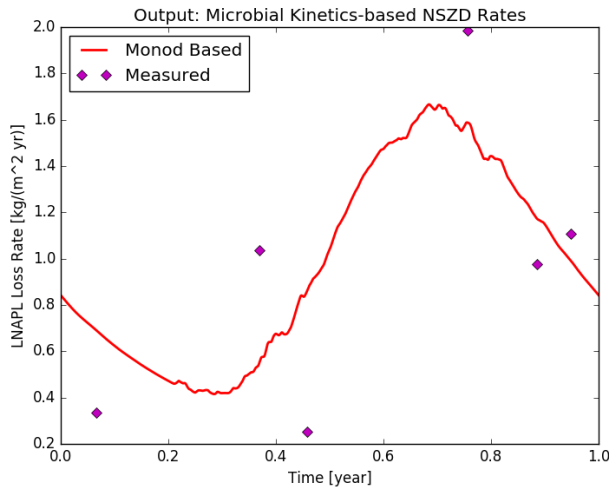


# Can both approaches be reconciled by

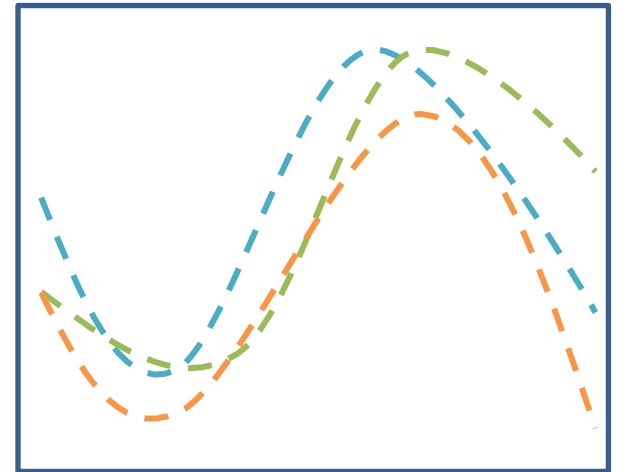
**BioTherm**?

1. Using the mass balance/  
Monod rates

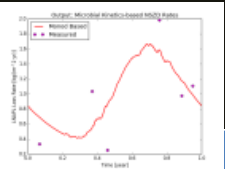
2. Using thermal gradients



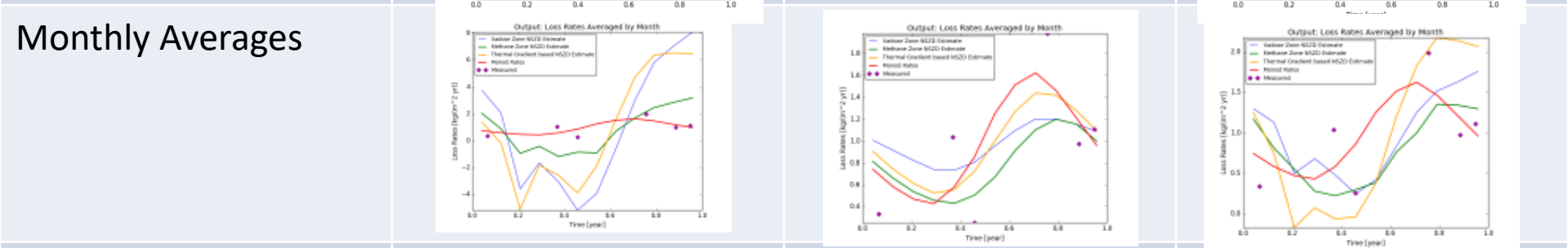
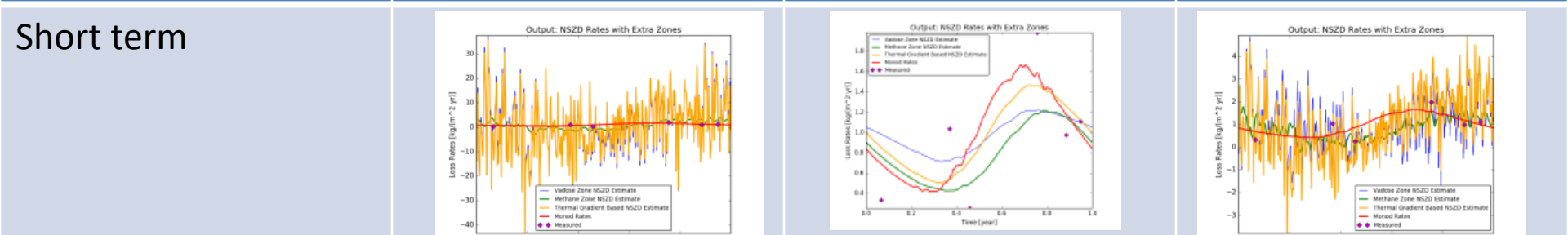
Vs.



# Average Annual Thermal Gradients



	<span style="font-size: 2em; border: 2px solid black; border-radius: 50%; padding: 5px;">1</span> Absolute temperatures	<span style="font-size: 2em; border: 2px solid black; border-radius: 50%; padding: 5px;">2</span> Perfect Background	<span style="font-size: 2em; border: 2px solid black; border-radius: 50%; padding: 5px;">3</span> Imperfect Background
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Annual Averages	Target:		
		$R_{Monod,annual} = 0.97 \text{ kg/m}^2.\text{yr} = 1,200 \text{ gallons/ac.yr}$	

Methane Oxidation Zone	0.79 kg/m <sup>2</sup> .yr (19%)	0.788 (19%)	0.78 (19%)
Entire vadose zone	0.97 (0.4%)	0.97 (0.4%)	0.978 (0.4%)
Aerobic zone	0.96 (1%)	0.97 (1%)	0.96 (1%)